Carbon-concentration and carbon-climate feedbacks in CMIP6 models, and their comparison to CMIP5 models


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Preprint. Discussion started: 9 December 2019
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Abstract

Results from the fully-, biogeochemically-, and radiatively-coupled simulations in which CO$_2$ increases at a rate of 1% per year (1pctCO2) from its pre-industrial value are analyzed to quantify the magnitude of two feedback parameters which characterize the coupled carbon-climate system. These feedback parameters quantify the response of ocean and terrestrial carbon pools to changes in atmospheric CO$_2$ concentration and the resulting change in global climate. The results are based on eight comprehensive Earth system models from the fifth Coupled Model Intercomparison Project (CMIP5) and eleven models from the sixth CMIP (CMIP6). The comparison of model results from two CMIP phases shows that, for both land and ocean, the model mean values of the feedback parameters and their multi-model spread has not changed significantly across the two CMIP phases. The absolute values of feedback parameters are lower for land with models that include a representation of nitrogen cycle. The sensitivity of feedback parameters to the three different ways in which they may be calculated is shown and, consistent with existing studies, the most relevant definition is that calculated using results from the fully- and biogeochemically-coupled configurations. Based on these two simulations simplified expressions for the feedback parameters are obtained when the small temperature change in the biogeochemically-coupled simulation is ignored. Decomposition of the terms of these simplified expressions for the feedback parameters allows identification of the reasons for differing responses among ocean and land carbon cycle models.
1. Introduction

The Earth system responds to the perturbation of its atmospheric CO$_2$ concentration ([CO$_2$]), caused by anthropogenic fossil fuel and land use change emissions of CO$_2$ or any other forcing, via both changes in its physical climate and the biogeochemical carbon cycle. Changes in both the physical climate and the biogeochemical carbon cycle affect each other through multiple feedbacks. The surface-atmosphere exchange of CO$_2$ over both land and ocean is modulated by the changes in physical climate and [CO$_2$], and the resulting changes in [CO$_2$] modulates the physical climate, among other climate forcings.

The response of the Earth’s carbon cycle for both land and ocean components has been characterized in terms of carbon-concentration and carbon-climate feedback parameters which quantify their response to changes in [CO$_2$] and the physical climate, respectively (Friedlingstein et al., 2006; Arora et al., 2013a). The carbon-concentration feedback ($\beta$) quantifies the response of the carbon cycle to changes in [CO$_2$] and is expressed in units of carbon uptake or release per unit change in [CO$_2$] (PgC ppm$^{-1}$). The carbon-climate feedback ($\gamma$) quantifies the response of the carbon cycle to changes in physical climate and is expressed in units of carbon uptake or release per unit change in global mean temperature (PgC °C$^{-1}$). The changes in physical climate, in this framework, are expressed simply in terms of changes in global mean near surface air temperature although, of course, the carbon cycle also responds to other aspects of changes in climate (in particular precipitation over land and circulation changes in the ocean).
assumption is that the effect of other aspects of changes in climate on the carbon cycle can be broadly expressed in terms of changes in near surface air temperature. These feedback parameters can be calculated from Earth system model (ESM) simulations globally, separately over land and ocean, regionally, or over individual grid cells (which makes somewhat more sense over land than over ocean) to investigate their geographical distribution (Friedlingstein et al., 2006; Yoshikawa et al., 2008; Boer and Arora, 2010; Tjiputra et al., 2010; Roy et al., 2011; Arora et al., 2013a). The feedback analysis has shown that the carbon-concentration feedback is negative from the atmosphere’s perspective. That is, an increase in \([\text{CO}_2]\) leads to an increased carbon uptake by land and ocean which leads to a decrease in \([\text{CO}_2]\) thereby slowing \(\text{CO}_2\) accumulation in the atmosphere. The carbon-climate feedback, in contrast, has been shown to be positive in ESM simulations (at the global scale) from the atmosphere’s perspective since an increase in temperature decreases the capacity of land and ocean to take up carbon, thereby contributing to a further increase in atmospheric \(\text{CO}_2\).

The carbon-concentration and carbon-climate feedback parameters serve several purposes. First, these feedback parameters allow comparison of models in a simple and straightforward manner despite their underlying complexities and different model structures. Inter-model comparisons, of course, offer several benefits as has been shown for multiple model intercomparison projects (MIPs). Second, they allow the quantification of the contribution of the two feedback processes to allowable anthropogenic emissions for a given \(\text{CO}_2\) pathway. For example, Arora et al. (2013) and Gregory et al. (2009) showed that the contribution of the carbon-concentration feedback to allowable diagnosed emissions is about 4-4.5 times larger than the
carbon-climate feedback. Third, they allow the comparison of feedbacks between climate and the carbon cycle to other feedbacks operating in the climate system as was done by Gregory et al. (2009). Fourth, the feedback parameters can be considered as emergent properties of the coupled carbon-cycle climate system which can potentially be constrained by observations as Wenzel et al. (2014) attempted for the carbon-climate feedback parameter over land.

Here, we build on the work done in earlier studies that compared the strength of the carbon-concentration and carbon-climate feedback in coupled general circulation models with land and ocean carbon cycle components. Friedlingstein et al. (2006) (hereafter F06) reported the first such results from the Coupled Climate Carbon Cycle Models Intercomparison Project (C4MIP). Arora et al. (2013) (hereafter A13) compared the strength of the carbon-concentration and carbon-climate feedbacks from models participating in the fifth phase of the Coupled Model Intercomparison Project (CMIP5, http://cmip-pcmdi.llnl.gov/cmip5/forcing.html, Taylor et al. (2012)). The A13 study found that the strength of the two feedbacks was weaker and the spread between models was smaller in their study than in F06. While this comparison is useful, the primary caveat when comparing results between these two studies is that their results are based on different scenarios. The results from the F06 study were based on the SRES A2 emissions scenario, while those in the A13 study were based on the 1% per year increasing CO2 experiment in which the atmospheric CO2 concentration increases from its pre-industrial value of around 285 ppm until it quadruples over a 140-year period (referred to as the 1pctCO2 experiment in the framework of the Coupled Model Intercomparison Project, CMIP). The absolute values of the feedback parameters are known to be dependent on the state of the system, the timescale of
forcing (i.e. underlying emissions/concentration scenario) and the approach used to calculate them (Plattner et al., 2008; Gregory et al., 2009; Boer and Arora, 2010; Zickfeld et al., 2011; Hajima et al., 2014). The varying approaches employed over the past decade have made the cross-comparison of feedbacks among the studies and different generations of Earth System Models difficult.

In order to address the diversity of approaches to diagnose climate carbon cycle feedbacks, and to promote a robust standard moving forward, the C4MIP community has endorsed a framework of tiered experiments (Jones et al., 2016) that builds upon the core preindustrial control and 1pctCO2 experiments performed as part of the CMIP DECK (Diagnostic, Evaluation and Characterization of Klima) experiments (Eyring et al., 2016). Here, we compare carbon-concentration and carbon-climate feedbacks from models participating in the C4MIP (Jones et al., 2016) contribution to the sixth phase of CMIP (CMIP6, Eyring et al., 2016). To maintain continuity and consistency, feedback parameters are derived from the 1pctCO2 experiments as was done in A13. The 1pctCO2 experiment is a DECK experiment in the CMIP6 framework. All participating modelling groups are expected to perform DECK experiments to help document basic characteristics of models across different phases of CMIP (Eyring et al., 2016).

2. Feedbacks in the coupled climate-carbon system

We largely follow the climate carbon cycle feedbacks framework presented in A13 (which in turn was built on F06) but with some additional modifications that are explained below. Only the
primary equations are presented here while the bulk of the framework is summarized in the
Appendix for completeness. We also provide some history of how the carbon feedbacks analysis
reached its current stage.

Carbon feedbacks analysis is traditionally based on simulations run with fully-, radiatively-, and
biogeochemically-coupled model configurations of an Earth system model. The objective of these
simulations is to isolate feedbacks discussed above. In a biogeochemically-coupled simulation
(referred to here as the BGC simulation), biogeochemical processes over land and ocean respond
to increasing atmospheric CO₂ while the radiative transfer calculations in the atmosphere use a
CO₂ concentration that remains at its preindustrial value. Small climatic changes occur in the BGC
simulation due to changes in evaporative (or latent heat) flux resulting from stomatal closure
over land (associated with increasing [CO₂]), changes in vegetation structure, and changes in
vegetation coverage and composition (in models which dynamically simulate competition
between their plant functional types) all of which affect latent and sensible heat fluxes at the
land surface. In a radiatively-coupled simulation (referred to here as the RAD simulation)
increasing atmospheric CO₂ affects the radiative transfer processes in the atmosphere and hence
climate but not the biogeochemical processes directly over land and ocean, for which the
preindustrial value of atmospheric CO₂ concentration is prescribed. In a fully-coupled simulation
(referred to here as the COU simulation) both the biogeochemical and the radiative processes
respond to increasing CO₂.
Following the F06 methodology which uses time-integrated fluxes (which are the same as the changes in carbon pool sizes), the changes in land ($L$) or ocean ($O$) carbon pools ($\Delta C_X, X = L, O$) can be expressed using three equations corresponding to the BGC, RAD, and COU experiments, as shown in equation (1) (see also the Appendix).

Radiatively coupled simulation
\[ \Delta C^+_X = \int F^+_X \, dt = \gamma_X T^+ \] (1a)

Biogeochemically coupled simulation
\[ \Delta C^*_X = \int F^*_X \, dt = \beta_X c' + \gamma_X T^* \] (1b)

Fully coupled simulation
\[ \Delta C'_X = \int F'_X \, dt = \beta_X c' + \gamma_X T' \] (1c)

where $F^+, F^*$, and $F'$ are the CO2 flux changes (PgC year$^{-1}$), $\Delta C^+_X, \Delta C^*_X, \text{ and } \Delta C'_X$ the changes in global carbon pools (PgC), and $T^+, T^*$, and $T'$ the temperature changes (°C) in the RAD, BGC, and COU simulations, respectively, and the subscript $X = L, O$ refers to either the land or ocean model components. $c'$ is the change in [CO2]. Here and elsewhere uppercase $C$ is used to denote pools and lowercase $c$ is used to denote atmospheric CO2 concentration, [CO2]. All changes are defined relative to a pre-industrial equilibrium state represented by the pre-industrial control simulation. In the context of a specified-concentration simulation (the 1pctCO2 experiment in our case), $c'$ is the same in BGC and COU simulations. There is no $\beta_X c'$ term in the RAD simulation since the biogeochemistry sees pre-industrial value of [CO2] and therefore $c' = 0$ although $T^+$ is a function of increasing $c'$ that is seen only by the radiative transfer calculations.

These equations assume linearization of the globally integrated surface-atmosphere CO2 flux (for land and ocean components) in terms of global mean temperature and [CO2] change (compared
to a pre-industrial control run) and serve to define the carbon-concentration ($\beta_X$) and carbon-climate ($\gamma_X$) feedback parameters. A similar set of equations can be written that define the instantaneous values of the feedback parameters and is based on fluxes rather than their time-integrated values (see equations A4 and A5 in the appendix). Both the time-integrated flux and instantaneous flux based versions of the feedback parameters evolve over time as shown in A13.

There are several different ways in which the feedbacks ($\beta_X$ and $\gamma_X$) in a coupled climate and carbon cycle system may be evaluated: 1) the experiments may use specified (concentration-driven) or freely evolving (emissions-driven) $[\text{CO}_2]$, 2) any two of the three configurations of an experiment (COU, RAD, and BGC) may be used to calculate the two feedback parameters, and 3) the experiment may be based on an idealized scenario (like the 1pctCO2 experiment) or a more realistic emissions scenario. In addition, the small temperature change in the BGC simulation, T*, may be ignored, and other external forcings such as nitrogen (N) deposition, or land use change, which directly affect carbon fluxes may or may not be taken into account. The original framework proposed by F06 used COU and BGC versions (referred to as coupled and uncoupled in the F06 study) of an emissions driven simulation for the SRES A2 scenario. The F06 framework assumed that the small temperature change in the BGC simulation can be ignored. A13 used BGC and RAD versions of the 1pctCO2 experiment in which the evolution of $[\text{CO}_2]$ is specified and took into account the small global mean temperature change in the BGC simulation.

With regard to the use of concentration-driven versus emissions-driven simulations, Gregory et al. (2009) recommended the use of specified concentration simulations, which ensures
consistency of [CO$_2$] across models, and this recommendation has now been adopted since CMIP5. C4MIP has also adopted the use of the 1pctCO2 simulation, i.e., an idealized scenario is preferred over a more realistic scenario. This recommendation was also made by Gregory et al. (2009). The 1pctCO2 experiment provides an ideal experiment to compare carbon-climate interactions across models as the experiment does not include the confounding effects of other climate forcings (including land use change, non-CO$_2$ greenhouse gases, and aerosols) and is a CMIP DECK experiment, as mentioned earlier.

Using equation (1) as an example, Table 1 shows how any two combinations of the three configurations of an experiment can be used to calculate the values of the two feedback parameters. The A13 study showed that under the assumption of a linear system and if the conditions $F'' = F' + F''$ and $T'' = T' + T''$ are met, i.e. if the sum of flux and temperature changes in the RAD and BGC simulations is the same as that in the COU simulation, then all approaches yield exactly the same solution. However, this is not the case because of the non-linearities involved (see also Schwinger et al., 2014).

The use of BGC and RAD simulations that have only biogeochemistry or radiative forcing responding to increases in [CO$_2$] to find the feedback parameters is attractive since these simulations were designed to isolate the feedbacks. In the RAD simulation (whose purpose is to quantify the carbon-climate feedback, $\gamma_X$) the pre-industrial global carbon pools for both land and ocean typically decrease in response to an increase in global temperature (hence the positive carbon-climate feedback and the negative value of $\gamma_X$). Consequently, negative values of $\gamma_X$
(positive carbon-climate feedback) are obtained when using the RAD-BGC and RAD-COU approaches (see Table 1). If, however, $\gamma_X$ is determined using the BGC-COU approach, then $\gamma_X$ is calculated using BGC and COU simulations in both of which the globally-summed carbon pools for land and ocean are increasing in response to increasing [CO$_2$]. As a result, the calculated value of $\gamma_X$ is different than that obtained using the RAD-BGC and RAD-COU approaches. In the ocean, the RAD simulation mainly measures the loss of near-surface carbon owing to warming of the surface ocean layer (Schwinger et al., 2014). The RAD simulation misses the suppression of carbon drawdown to the deep ocean due to weakening ocean circulation, because there is no buildup of a strong carbon gradient from the surface to the deep ocean in contrast to the BGC and COU simulations. Therefore, the absolute value of $\gamma_X$ is smaller (less negative) when calculated using the RAD simulation (Schwinger et al., 2014). Over land, in the RAD simulation carbon is lost in response to increasing temperatures primarily due to an increase in heterotrophic respiration. However, an increase in temperature also potentially increases photosynthesis at high latitudes, and this increase compensates for carbon lost due to increased heterotrophic respiratory losses, especially in the presence of continuously increasing [CO$_2$] seen in the COU configuration. These are some mechanisms that lead to non-linearities. Since the ongoing climate change (predominantly caused by increasing [CO$_2$]) is best characterized by the COU simulation, it can be argued that feedback parameters are more representative when calculated using the BGC-COU approach. Here, we propose to use the COU and BGC configurations of an experiment as the standard set from which to calculate the feedback parameters as recommended in the C$^4$MIP protocol (Jones et al., 2016). However, we also quantify the values of feedback parameters when using the RAD simulation for comparison.
calculated values of the carbon-concentration feedback parameter ($\beta_X$) in contrast, are less sensitive to the approach used as shown in A13.

There is no broad consensus on whether temperature change in the BGC simulation should be assumed to be zero ($T^* = 0$) as standard practice when calculating the strengths of the feedbacks, as done in F06. While the globally-averaged value of $T^*$ is an order of magnitude smaller than $T'$, the spatial pattern of $T^*$ is quite different from that of $T'$. The spatial pattern of temperature change in the COU simulation ($T'$) is dominated by radiative forcing of increased $[\text{CO}_2]$ with greater warming at high latitudes and over land than over ocean. In contrast, the spatial pattern of temperature change in the BGC simulation ($T^*$) is determined primarily by reduction in latent heat flux associated with stomatal closure as $[\text{CO}_2]$ increases which reduces transpiration from vegetation (Ainsworth and Long, 2005; Bounoua et al., 1999). This process leads to a much more spatially variable pattern of temperature change (than $T'$) and the associated changes in precipitation patterns due to soil moisture-atmosphere feedbacks (Chadwick et al., 2017; Skinner et al., 2017). The difference in spatial patterns of temperature and precipitation change in the RAD versus the COU simulation is another reason that the values of the carbon-climate feedback ($\gamma_X$) depend on the simulation used, and this is another pathway for non-linearities to occur. A complete analysis of the effect of differences in spatial patterns of climate change and the carbon state on the calculated value of $\gamma_X$ when using the RAD versus the COU simulation, and if or not the assumption of $T^* = 0$ should be a standard practice, is beyond the scope of this study but remains a topic for additional scientific investigation. In the
Here, we report values of $\beta_X$ and $\gamma_X$ by explicitly considering $T^*$ but also assuming $T^* = 0$.

Following Table 1, when using results from the BGC and the COU versions of a specified-concentration experiment the values of the feedback parameters are written as

$$\beta_X = \frac{1}{c'} \left( \frac{\Delta C'_X T' - \Delta C'_X T^*}{T' - T^*} \right)$$  \hspace{1cm} (2)$$

$$\gamma_X = \frac{\Delta C'_X - \Delta C'_X}{T' - T^*}$$  \hspace{1cm} (3)$$

Equations (2) and (3) may be rearranged to explicitly calculate the effect of the $T^* = 0$ assumption on calculated values of feedback parameters, as shown in equations (4) and (5). Here, the $T^*$ term is retained only in the second part of the equations whose contribution becomes zero when $T^*$ is ignored.

$$\beta_X = \frac{\Delta C'_X}{c'} + \frac{1}{c'} \left[ \frac{(\Delta C'_X - \Delta C'_X) T^*}{(T' - T^*)} \right]$$  \hspace{1cm} (4)$$

$$\gamma_X = \frac{\Delta C'_X - \Delta C'_X}{T' - T^*} + \frac{(\Delta C'_X - \Delta C'_X) T^*}{T' - T^*}$$  \hspace{1cm} (5)$$

Finally, in regards to other external forcings such as nitrogen (N) deposition that directly affect carbon fluxes, the C4MIP protocol for CMIP6 (Jones et al., 2016) recommended performing additional simulations for BGC and COU versions of the 1pctCO2 experiment with time varying N deposition in addition to their standard versions which keep N deposition rates at their pre-industrial level. Simulations with N deposition can only be performed for models that explicitly
model the N cycle and its interactions with the carbon (C) cycle. The rationale for recommending increasing N deposition, in conjunction with temperature and CO₂ increase, is to be able to quantify the response of feedback parameters to this third forcing. However, here we restrict ourselves to the traditional analysis that considers the climate and CO₂ forcings only. We do highlight, however, which models include coupled C-N cycle interactions over land. Analysis of runs with N deposition forcing is left for future studies.

2.1. Reasons for differences in feedback parameters among models

As shown later in this paper, the contribution of the second term involving \( T^* \) in expressions for the carbon-concentration (\( \beta_X \)) and carbon-climate (\( \gamma_X \)) feedback parameters (in equations 4 and 5, when using the BGC-COU approach) is around 1% to 5%. This allows to investigate reasons for differences in the feedback parameters across models as the expressions for the feedback parameters can be simplified in terms of the changes in the sizes of carbon pools (\( \Delta C'_X \) and \( \Delta C^*_X \)), the temperature change in the COU simulation (\( T' \)) and the specified change in [CO₂] (\( c' \)) as follows.

\[
\beta_X \approx \frac{\Delta C^*_X}{c'}
\]

(6)

\[
\gamma_X \approx \frac{\Delta C'_X - \Delta C^*_X}{T'}
\]

(7)

2.1.1 Land
Over land, equations (6) and (7) can be expanded to investigate, firstly, the contributions from changes in live vegetation pool ($\Delta C_V$) and dead litter plus soil carbon pools ($\Delta C_S$), to the strength of the feedback parameters, since $\Delta C_L = \Delta C_V + \Delta C_S$. Secondly, equation (6) can be further decomposed to gain insight into the reasons for differences across models, in a manner similar to Hajima et al. (2014).

$$
\beta_L \approx \frac{\Delta C_L^*}{c^*} = \frac{\Delta C_V^* + \Delta C_S^*}{c^*} = \left( \frac{\Delta C_V^*}{\Delta NPP^*} \frac{\Delta NPP^*}{\Delta GPP^*} \frac{\Delta GPP^*}{c^*} \right) + \left( \frac{\Delta C_S^*}{\Delta R_h^*} \frac{\Delta R_h^*}{\Delta LF^*} \frac{\Delta LF^*}{c^*} \right)
$$

(8)

$$
\gamma_L \approx \frac{\Delta C_L^* - \Delta C_L^*}{\tau^*} = \frac{\Delta C_V^* - \Delta C_V^*}{\tau^*} + \frac{\Delta C_S^* - \Delta C_S^*}{\tau^*}
$$

(9)

The superscript * in equation (8) implies that the terms are calculated here using the BGC version of the 1pctCO2 experiment. In equation (8), $\Delta NPP$ and $\Delta GPP$ represent the change in net and gross primary productivity, $\Delta LF$ the change in litterfall flux, and $\Delta R_h$ the change in heterotrophic respiration, compared to the preindustrial control experiment. The multiplicative terms in equation (8) do indeed have some physical meaning although they are based on change in the magnitude of quantities as opposed to their absolute magnitudes. We note here explicitly that as such, these terms cannot be compared directly to the terms which are based on absolute magnitudes.

The term $\frac{\Delta NPP}{\Delta GPP}$ (fraction) is the fraction of GPP (above its pre-industrial value) that is turned into NPP after autotrophic respiratory losses are taken into account. We use the term carbon use
efficiency but subscripted by $\Delta$ ($CUE_{\Delta}$) to represent \( \frac{\Delta NPP}{\Delta GPP} \). The subscripted $\Delta$ allows $CUE_{\Delta}$ to be differentiated from $CUE$ as used in the existing literature (Choudhury, 2000) which represents the fraction of absolute GPP that is converted to NPP rather than its change over some time period, as well as the point that we consider globally-integrated rather than locally-derived quantities. Similarly, the term $\frac{\Delta C_v}{\Delta NPP}$ represents a measure of turnover or residence timescale of carbon in the vegetation pool ($\tau_{veg\Delta}$, years). The term $\frac{\Delta GPP}{c'}$ (PgC yr$^{-1}$ ppm$^{-1}$) is a measure of the strength of the globally-integrated CO$_2$ fertilization effect. However, in the models that dynamically simulate changes in vegetation cover, the effect of changes in vegetation coverage is implicitly included in this term. The term $\frac{\Delta C_s}{\Delta R_h}$ is a measure of the average residence time of carbon in the dead litter and soil carbon pools ($\tau_{soil\Delta}$, years). However, as with CUE, this quantity cannot be compared directly to the residence time of carbon in the litter plus soil carbon pool calculated using the absolute values of $C_s$ and $R_h$. Nor can it be compared to the changes in carbon residence time due to the “false priming effect” associated with the increase in NPP inputs, as [CO$_2$] increases, into the dead carbon pools (Koven et al., 2015). $\frac{\Delta R_h}{\Delta LF}$ (fraction) is a measure of the increase in heterotrophic respiration per unit increase in litterfall rate, and $\frac{\Delta LF}{c'}$ (PgC yr$^{-1}$ ppm$^{-1}$) indicates global increase in litterfall rate per unit increase in CO$_2$, which in principle, should be close to the change in net primary productivity per unit increase in CO$_2$, $\left( CUE_{\Delta} \frac{\Delta GPP}{c'} \right)$. Comparison of these terms across models can potentially yield insight into the reasons for large differences in land carbon uptake across models.
2.1.2 Ocean

The change in the ocean carbon inventory, $\Delta C_O$, is defined by an integral of the change in the dissolved inorganic carbon, $\Delta DIC$, and density over the ocean volume,

$$
\Delta C_O = 12 \, \text{g C mol}^{-1} \int_V \Delta DIC \, dV \times 10^{-15}
$$

(10)

where $\Delta C_O$ is in PgC, the ocean dissolved inorganic carbon, $DIC$ in mol m$^{-3}$ and the ocean volume $V$ in m$^3$, and the multiplier $10^{-15}$ converts g to Pg of carbon.

To gain insight into how the ocean carbon distribution is controlled, the ocean dissolved inorganic carbon, $DIC$, may be defined in terms of separate carbon pools (Ito and Follows, 2005; Williams and Follows, 2011; Lauderdale et al., 2013; Schwinger and Tjiputra, 2018):

$$
DIC = DIC_{\text{preformed}} + DIC_{\text{regenerated}} = DIC_{\text{sat}} + DIC_{\text{disequilibrium}} + DIC_{\text{regenerated}}
$$

(11)

where the preformed carbon, $DIC_{\text{preformed}}$, is the amount of carbon in a water parcel when in the mixed layer at the time of subduction, and the regenerated carbon, $DIC_{\text{regenerated}}$, is the amount of dissolved inorganic carbon accumulated below the mixed layer due to biological regeneration of organic carbon. The preformed carbon is affected by the carbonate chemistry and ocean physics. To gain further insight into how close the ocean is to an equilibrium with the atmosphere, the preformed carbon, $DIC_{\text{preformed}}$, is further split into saturated, $DIC_{\text{sat}}$, and disequilibrium, $DIC_{\text{disequilibrium}}$ components. The saturated component represents the concentration in surface water fully equilibrated with the contemporary atmospheric CO$_2$. 
concentration. The disequilibrium component represents the extent that surface water is incompletely equilibrated before subduction, which is affected by the strength of the ocean circulation altering the residence time in the mixed layer and the ocean ventilation rate. Each of these components is affected by the increase in atmospheric CO₂ and the changes in climate.

The change in the global ocean carbon inventory, $\Delta C_O$, relative to the preindustrial may then be related to the global volume integral of the change in each of these DIC pools,

$$\Delta C_O = \frac{\Delta C_{\text{preformed}}}{C'} + \frac{\Delta C_{\text{disequil}}}{{C'} + \Delta C_{\text{regenerated}}}$$

(12)

where $\Delta C_{\text{preformed}}$ is the preformed carbon inventory, $\Delta C_{\text{sat}}$ is the saturated carbon inventory, $\Delta C_{\text{disequil}}$ is the disequilibrium carbon inventory and $\Delta C_{\text{regenerated}}$ is the regenerated carbon inventory.

The simplified expressions for carbon-cycle feedback parameters (6) and (7) based on the air-sea flux changes to the ocean may then be approximated by the global ocean carbon inventory changes, which may be expressed in terms of these different global ocean carbon pools (Williams et al., 2019):

$$\beta_O \approx \frac{\Delta C_O}{C'} = \frac{\Delta C_{\text{preformed}}}{C'} + \frac{\Delta C_{\text{disequil}}}{C'} + \frac{\Delta C_{\text{regenerated}}}{C'}$$

(13)
\[
\gamma_O \approx \frac{\Delta C'_O - \Delta C^*_O}{T'} = \frac{\Delta C'_{preformed} - \Delta C^*_{preformed}}{T'} + \frac{\Delta C'_{regenerated} - \Delta C^*_{regenerated}}{T'}
\]

\[
= \frac{\Delta C'_{sat} - \Delta C^*_{sat}}{T'} + \frac{\Delta C'_{disequilib} - \Delta C^*_{disequilib}}{T'} + \frac{\Delta C'_{regenerated} - \Delta C^*_{regenerated}}{T'}
\]

(14)

The anomalies for each of these carbon pools are calculated as

\[
\Delta DIC_{regenerated} = -R_{CO} \Delta AOU + \frac{1}{2} (\Delta Alk - \Delta Alk_{pre} - R_{NO} \Delta AOU)
\]

(15)

\[
\Delta DIC_{sat} = f(pCO_{2}^{atm}, T_o, S_o, P, Si, Alk_{pre})_t - f((pCO_{2}^{atm}, T_o, S_o, P, Si, Alk_{pre})_{t=0}
\]

(16)

\[
\Delta DIC_{disequilib} = \Delta DIC - \Delta DIC_{regenerated} - \Delta DIC_{sat}
\]

(17)

where \(R_{CO}\) and \(R_{NO}\) are constant stochiometric ratios, \(\Delta AOU\) is the change in apparent oxygen utilization from its pre-industrial value (where preformed oxygen is assumed to be approximately saturated with respect to atmospheric oxygen), \(\Delta Alk\) is the change in alkalinity, \(T_o\) and \(S_o\) are the ocean temperature and salinity, respectively, \(P\) and \(Si\) are the phosphate and silicate concentrations, and \(\Delta Alk_{pre}\) is the change in preformed alkalinity (Ito and Follows, 2005; Appendix of Lauderdale et al., 2013; Williams and Follows, 2011). In equation (16), \(\Delta DIC_{sat}\) is calculated using values of \(pCO_{2}^{atm}\), \(T_o\), \(S_o\), \(P\), \(Si\), and \(Alk_{pre}\) at time \(t\) and the pre-industrial values at time \(t=0\). The preformed alkalinity is estimated from a multiple linear regression using salinity and the conservative tracer PO (PO=O2-Ro2;PP) (Gruber et al., 1996), with the coefficients of this regression estimated based on the upper ocean (first 10 meters) alkalinity, salinity, oxygen and phosphate in each model. The small contribution from minor species (borate, silicate, phosphate) to the alkalinity is removed from the total alkalinity before using it for estimates of the carbon system following the algorithm of (Follows et al., 2006). Our diagnostics of the ocean feedbacks...
and carbon pools depend primarily upon changes in DIC, the preformed and regenerated pools, relative to the pre-industrial, although differences in the pre-industrial ocean do slightly affect the saturated DIC due to the non-linearity of the carbonate chemistry.

3. Model descriptions

Table 2 summarizes the primary features of the eleven comprehensive ESMs that contributed results to this study. Brief descriptions of land and ocean carbon cycle components of these ESMs are provided in the Appendix. The eleven ESMs, in alphabetical order, are the 1) Commonwealth Scientific and Industrial Research Organisation (CSIRO) ACCESS-ESM1.5, 2) Beijing Climate Centre (BCC) BCC-CSM2-MR, 3) Canadian Centre for Climate Modelling and Analysis (CCCma) CanESM5, 4) Community Earth System Model, version 2 (CESM2), 5) Centre National de Recherches Météorologiques (CNRM) CNRM-ESM2-1, 6) Institut Pierre-Simon Laplace (IPSL) IPSL-CM6A-LR, 7) Japan Agency for Marine-Earth Science and Technology (JAMSTEC) in collaboration with the University of Tokyo and the National Institute for Environmental Studies (Team MIROC) MIROC-ES2L, 8) Max Planck Institute for Meteorology (MPI) MPI-ESM1.2-LR, 9) Geophysical Fluid Dynamics Laboratory (GFDL) NOAA-GFDL-ESM4, 10) Norwegian Climate Centre (NCC) NorESM2-LM, and 11) United Kingdom (UK) UKESM1-0-LL.

In contrast to the A13 study where only two of the eight participating comprehensive ESMs had terrestrial N cycle implemented and coupled to their C cycle, in this study six of the eleven
participating ESMs represent coupling of terrestrial C and N cycles. These six models are the ACCESS-ESM1.5, CESM2, MIROC-ES2L, MPI-ESM1.2-LR, NorESM2-LM, and UKESM1-0-LL. Note that CESM2 and NorESM2-LM employ the same land surface component – the version 5 of the Community Land Model (CLM5) so we expect the land carbon cycle to respond very similarly in the two models. Three of the ESMs have land components which dynamically simulated vegetation cover and competition between their PFTs - NOAA-GFDL-ESM4, MPI-ESM1.2-LR, and UKESM1-0-LL.

4. Results

4.1. Global surface CO₂ fluxes and temperature change

Figure 1 shows the simulated changes in temperature in the three model configurations (COU, BGC, and RAD) of the 1pctCO2 experiment. The values show the model mean and the range across the ten participating models, since results from the RAD configuration of the NorESM2-LM model were not available at the time of writing of this manuscript. Here and in subsequent figures, model mean results are also shown for the eight comprehensive ESMs that participated in the A13 study to allow a direct comparison between CMIP5 and CMIP6 models. The eight models in the A13 study are a subset of eleven models considered in this study although they have been updated since CMIP5.
As expected, temperature change is higher in the COU and RAD simulations, than in the BGC simulation, since the radiative forcing responds to increasing [CO$_2$] in these simulations. The small temperature change in the BGC simulation is due to a number of contributing but also compensating factors: 1) reduction in transpiration, and hence latent heat flux, due to stomatal closure in response to increasing [CO$_2$] (Cao et al., 2010), 2) increase in vegetation leaf area index (LAI), which decreases land surface albedo and hence increases absorbed solar radiation, 3) increase in vegetation fraction in models that explicitly simulate competition between their plant functional types (PFTs) over land (NOAA-GFDL-ESM4, MPI-ESM1.2-LR, and UKESM1-0-LL) which also leads to reduced land surface albedo. As a result, temperature change in the COU simulation is higher than in the RAD simulation since these biogeochemical processes are active and contribute to a small additional warming. This is seen in panel (a) for CMIP6 models and panel (b) for CMIP5 models.

When comparing CMIP5 and CMIP6 models, the CMIP6 models are on average slightly warmer than CMIP5 models in the COU and RAD simulations. In Figure 1a, the globally-averaged near surface temperature change at CO$_2$ quadrupling in the fully-coupled simulation is 5.00 °C (4.87 °C when NorESM2-LM is included) in CMIP6 models, compared to 4.74 °C in CMIP5 models. The globally-averaged temperature change at CO$_2$ quadrupling in the fully-coupled simulation for the eight models that are common to this (CMIP6) and the A13 (CMIP5) studies, are 4.97 and 4.74 °C, respectively. The temperature change in the BGC simulation in CMIP6 models (0.24 °C) is, however, slightly smaller than in the CMIP5 models (0.26 °C). The values in Figure 1 for participating CMIP5 models are slightly different than those reported in A13 study because those
numbers also included the UVic Earth System Climate Model (an intermediate complexity model) which we have omitted here to keep the comparison consistent between comprehensive ESMs. In addition, in contrast to A13, the temperature at the end of a simulation in this study is calculated after fitting a polynomial to the model mean values rather than using the actual model mean value at the end of the simulation which can be higher or lower than that calculated using the polynomial fit due to inter-annual variability.

Figure 2 and 3 show simulated model mean values and the range across models for annual simulated atmosphere-land and atmosphere-ocean CO$_2$ fluxes and their cumulative values for participating CMIP6 and CMIP5 models from the fully-, biogeochemically- and radiatively-coupled configurations of the 1pctCO2 experiment. Here, in contrast to Figure 1, results from all eleven models are included since model mean cumulative atmosphere-land and atmosphere-ocean CO$_2$ fluxes are not particularly sensitive to inclusion/exclusion of the NorESM2-LM models for which results from the RAD simulation were not available. The general results from CMIP6 models are broadly similar in nature to those from CMIP5 models, as would be expected, with higher annual and cumulative values of atmosphere-land and atmosphere-ocean CO$_2$ fluxes in the BGC simulation compared to the COU simulation in which the radiative warming caused by increasing CO$_2$ weakens the land and ocean sinks. In the RAD simulation, where land and ocean carbon cycle components do not respond to increasing [CO$_2$], both components lose carbon, for reasons discussed below.
Over land, the model mean rate of increase of atmosphere-land CO\(_2\) flux declines and even becomes negative in the COU and BGC simulations as the terrestrial CO\(_2\) fertilization effect saturates and the carbon pools build up, which increases the respiratory losses. The biggest difference between the CMIP5 and CMIP6 models is that the cumulative land carbon uptake in the COU simulation is about 25 % higher in CMIP6 (635 ± 258 PgC, mean ± standard deviation) models than in CMIP5 (505 ± 297 PgC) models, although this increase is not statistically significant across the model ensemble (Mann-Whitney test). The cumulative value of carbon loss in the RAD simulation is similar in both CMIP6 and CMIP5 models, 250 ± 121 vs. 252 ± 158 PgC, respectively. This carbon loss occurs due both to increased heterotrophic respiration per unit carbon mass and reduced GPP (and consequently NPP) in the RAD simulation (not shown). While NPP declines globally in response to increase in temperature, mid- to high-latitude net primary production increases (Qian et al., 2010) so the reduction in global NPP comes largely from the reduction in the tropics. The large range across land carbon cycle models, seen also in earlier F06 and A13 studies, has not meaningfully declined for CMIP6 models participating in this study and its implications will be discussed in more detail in Section 5. This is also seen later in Figure 6 which compares the absolute magnitude and the standard deviation of the strength of the feedback parameters from CMIP5 and CMIP6 models.

Over the ocean, the response to increasing [CO\(_2\)] and changing climate remains fairly similar across CMIP5 and CMIP6 models. The cumulative ocean carbon uptake in the COU simulation is 593 ± 54 and 611 ± 50 PgC in CMIP6 and CMIP5 models, respectively. Unlike the land uptake, however, the ocean carbon uptake does not saturate over the length of the simulation in the BGC model.
simulation (Figure 3, panels a and b); it keeps on increasing albeit at a declining rate. The cumulative ocean carbon loss in the RAD simulation is $23 \pm 19$ and $37 \pm 17$ PgC in CMIP6 and CMIP5 models, respectively, and associated with warmer temperatures which reduce CO$_2$ solubility (Goodwin and Lenton, 2009).

Figure 4 shows results from individual CMIP6 models for which model means and ranges were shown in Figures 1, 2, and 3. Figure 4 allows identification of models which behave differently compared to the majority of models. In Figure 4, panels a and c, CanESM5 shows the largest temperature increase, and NorESM2-LM and MIROC-ES2L the smallest, in response to increase in [CO$_2$] for the COU and RAD simulations, respectively. For cumulative atmosphere-land CO2 flux in the COU simulation (panel d), CanESM5 simulates the largest land carbon uptake and ACCESS-ESM1.5 the smallest. This is not the case for the BGC simulation (panel e) where land carbon uptake from the BCC-CSM2-MR and CNRM-ESM2.1 are the largest among all models, while land carbon uptake from the ACCESS-ESM1.5 is the lowest. Finally, in the RAD simulation (panel f) the loss of carbon from land in response to increasing temperatures is lowest in the MPI-ESM1.2-LR and largest in the BCC-CSM2-MR. Over the ocean, while most models behave very similarly, the carbon uptake in the BCC-CSM2-MR, ACCESS-ESM1.5, and NOAA-GFDL-ESM4 are larger than most models in the COU and BGC simulations. In the RAD simulation, almost all models simulate a loss of carbon from the ocean, but the CNRM-ESM2.1 shows a small uptake. Reasons for divergent response of some models are presented later.
As in F06 and A13, the range in cumulative atmosphere-land CO2 fluxes among models at the end of the simulation, in response to changes in atmospheric CO2 concentration and surface temperature, is three to four times larger than for the atmosphere-ocean CO2 fluxes.

4.2. Carbon budget terms

Figure 5a shows the carbon budget components of the diagnosed cumulative fossil fuel emissions at the end of the 140-year period of the 1pctCO2 COU experiment when CO2 concentration quadruples ($E_{4\times CO2}$ or simply $E$), from CMIP6 models. Cumulative emissions can similarly also be calculated at $2\times CO2$ ($E_{2\times CO2}$). The term “carbon budget” in this context refers to the accounting of carbon internal to individual ESMs. The sum of ocean ($\Delta C'_{O}$) and land ($\Delta C'_{L}$) sinks and the resulting atmospheric CO2 growth rate ($\Delta C'_{A}$) yields cumulative fossil fuel emissions which are consistent with the specified CO2 pathway (the 1pctCO2 scenario in this case) as indicated in the appendix. The corollary to this is that, in a specified emissions simulation, if the respective fossil fuel emissions were to be used in their models, each model will yield CO2 concentrations that rise at a rate of 1% per year. The term “diagnosed” implies that the cumulative fossil fuel emissions are calculated after the fact from changes in atmosphere, land and ocean carbon pools in the specified-concentration 1pctCO2 experiment. In Figure 5a, the results are arranged in an ascending order according to models’ diagnosed cumulative fossil fuel emissions. Figure 5b shows the terms of the budgets as fractional components for atmosphere ($A$), land ($L$) and ocean ($O$) based on equation (A7), where $f_A$ is the airborne fraction of emissions.
and $f_L$ and $f_O$ are the fractions of emissions take up by land and ocean, respectively. More details are provided in the Appendix.

$$\Delta C_A' + \Delta C_L' + \Delta C_O' = \int_0^t E \, dt = \bar{E}$$  \hspace{1cm} (18)$$

$$f_A + f_L + f_O = 1$$  \hspace{1cm} (19)$$

All panels in Figure 5 identify models whose land component includes a representation of the N cycle – the cumulative land carbon uptake (panels a and c) and fractional emissions taken up by land (panels b and d) for these models are shown in red. Finally, model mean values are also shown for all models and for models whose land components include and do not include a representation of the land N cycle. For comparison, panels c and d in Figure 5 show the same results but for CMIP5 models reported in A13.

Consistent with Figure 4, and CMIP5 results reported in the A13 study, the differences among models are primarily due to the diverse response of the land carbon cycle components. While the model mean cumulative carbon uptake by the ocean is fairly similar between participating CMIP5 (611 ± 50 PgC) and CMIP6 (593 ± 54 PgC) models, the land uptake is higher in CMIP6 (635 ± 258 PgC) compared to CMIP5 (505 ± 297 PgC) models, as mentioned earlier. This is the case even when the CanESM5, the model with the largest land carbon uptake, is omitted from CMIP6 models (model mean land carbon uptake for the remaining ten models is 578 ± 185 PgC). As a result, model mean cumulative diagnosed emissions from CMIP6 models (3031 ± 242 PgC) are about 4% higher than for CMIP5 models (2927 ± 294 PgC). In Figure 5a, the land carbon uptake
in CESM2 (656 PgC) and NorESM2-LM (652 PgC) model are very similar; as noted above these models employ the same land component.

Model mean estimates that are reported separately for models whose land component do and do not include a representation of N cycle, for both CMIP5 and CMIP6 models, show that model-mean land carbon uptake is lower for models that explicitly represent the N cycle. As a consequence, the airborne fraction of emissions is also higher for models that represent land N cycle and their diagnosed cumulative fossil fuel emissions are lower (Figure 5).

Figure 5a and 5c allow direct comparison of models from the same modelling group. CanESM2, from the Canadian Centre for Climate Modelling and Analysis, which had below average land carbon uptake among CMIP5 models, has evolved to CanESM5, a model with the largest land carbon uptake among CMIP6 models. The reason for this is an increase in the strength of its CO₂ fertilization effect as explained in Arora and Scinocca (2016). CESM1, which had one of the lowest land carbon uptake among CMIP5 models, because of its apparently excessive nitrogen limitation effect in CLM4, has evolved to CESM2 (with CLM5 land component) with near average land carbon uptake among CMIP6 models. The transition of CLM from CLM4 to CLM5, and the reduction in its nutrient constraints on photosynthesis and the parametric controls on fertilization responses are discussed in Wieder et al. (2019) and Fisher et al. (2019), respectively.

The land carbon uptake in MIROC-ESM increased from the lowest among CMIP5 models (149 PgC) to 701 PgC for MIROC-ES2L, among CMIP6 models, due to a new terrestrial biogeochemical
component (Ito and Inatomi, 2012). Although the CO$_2$ fertilization effect in this new land model is weaker likely due to the incorporation of the nitrogen cycle, the model yields relatively higher NPP (Hajima et al., 2019a), due to a higher $CUE_\Delta$ (as confirmed later in section 4.4.1). The land carbon uptake in the IPSL-CM5A-LR model decreased from being the second largest in CMIP5 models (741 PgC) to below average for the IPSL-CM6A-LR model (477 PgC) due to implementation of terrestrial photosynthesis downregulation, as a function of CO$_2$ concentration, which leads to a decrease in GPP across all latitudes, with the largest decrease in the tropics.

The ocean carbon uptake in the IPSL model decreased from being the largest among CMIP5 models at 670 PgC in IPSL-CM5A-LR to 579 PgC for IPSL-CM6A-LR, and this is attributed to a greater ocean stratification in the IPSL-CM6A-LR. The annual mean mixed layer depth is 46.7 m and 40.2 m in IPSL-CM5A-LR and IPSL-CM6A-LR, respectively. While NorESM1-ME was one of the CMIP5 models with the largest ocean carbon uptake (667 PgC), NorESM2-LM has an ocean carbon uptake (599 PgC) close to the CMIP6 model mean. This is a consequence of changes in the simulated (shallower depth and weaker strength) Atlantic meridional overturning circulation and reduced mixed layer biases particularly at high latitudes (less deep winter mixing). Due to these modifications, the efficiency of carbon export below the mixed layer in NorESM2-LM is considerably reduced compared to the NorESM1-ME. This, in turn, leads to less excess carbon stored in the North Atlantic Deep Water (below 2000 m) as well as in the Antarctic Intermediate Water. For the MPI ESM, the decrease in land carbon uptake from 825 PgC in MPI-ESM-LR for CMIP5 to 586 PgC in MPI-ESM1.2-LR for CMIP6 is associated with implementation of nitrogen cycle model (Goll et al., 2017) and a new soil carbon model YASSO (Goll et al., 2015). Compared to its predecessor HadGEM2-ES, UKESM1 represents a prognostic treatment of terrestrial
nitrogen including its impact on carbon storage in vegetation biomass and soil organic matter.

Limitation on terrestrial productivity from available nitrogen is the main reason for reduced land carbon storage in UKESM1-0-LL (408 PgC) compared to HadGEM2-ES (768 PgC).

Figure A1 in the appendix shows the version of Figure 5 but at the time of CO$_2$ doubling (at year 70). Interestingly, the ordering of the models according to their diagnosed cumulative emissions at 2×CO$_2$ is different from that at 4×CO$_2$. As expected, however, the model mean fractional emissions taken up by land and ocean at 2×CO$_2$ are higher than at 4×CO$_2$, because both land and ocean carbon sinks relatively weaken as CO$_2$ continues to increase.

4.3. Feedback parameters

Figure 6, panels a and b, compares the carbon-concentration ($\beta_L$) and carbon-climate feedback ($\gamma_L$) parameters over land from participating CMIP6 models. The plots show feedback parameters from different models as coloured dots but also their mean ± 1 standard deviation as a box. The feedback parameters are calculated using all of the four approaches that are summarized in Table 1 to illustrate their sensitivity to the approach used. In addition, models whose land component includes a representation of the N cycle are identified by an additional circle around their coloured dots. Figure 6 also shows the mean ± 1 standard deviation values separately for models that do and do not include a representation of the land N cycle using the BGC-COU approach, in an attempt to understand the reason for the diverse responses of the land models. Results from CMIP5 models in the A13 study are shown in a similar format for comparison in panels c and d.
Three primary observations can be made from Figure 6. First and foremost, the spread in the magnitude of carbon-concentration and carbon-climate feedback over land in CMIP6 models is of similar magnitude to that of CMIP5 models. Second, the carbon-climate feedback ($\gamma_L$) is more sensitive to the approach used (and hence the type of simulations used) to derive its value than the carbon-concentration feedback ($\beta_L$). Third, in the model mean sense, the absolute strength of the feedback parameters is weaker for models that include a representation of the N cycle, for both CMIP5 and CMIP6 models. Both the carbon gain due to increase in atmospheric CO$_2$ concentration and the carbon loss due to increase in globally average temperature in models with representation of land N cycle is much lower than models that do not include the N cycle. This response is most likely explained by the N limitation of photosynthesis as CO$_2$ increases and additional release of N from dead organic matter as warming increases which boosts productivity thereby compensating for carbon lost due to increased respiratory losses, as also discussed in A13. The values of the feedback parameters, however, overlap between models that do and do not include a representation of the N cycle, given the wider spread in the feedback parameter values among models that do not include a representation of land N cycle, compared to models that do.

Figure 7, panels a and b, compare the carbon-concentration ($\beta_O$) and carbon-climate feedback ($\gamma_O$) parameters over the ocean from participating CMIP6 models. As in Figure 6, the feedback parameters are calculated using all of the four approaches that are summarized in Table 1 and
results from CMIP5 models are shown for comparison in panels c and d. For both CMIP5 and CMIP6 models, the absolute spread in the magnitude of the feedback parameters across the participating models is an order of magnitude smaller for the ocean C cycle component compared to the land C cycle component, as was also seen in F06 and A13. Similar to the land, the calculated values of the ocean carbon-climate feedback ($\gamma_O$) are more sensitive to the approach used (and hence the type of simulations used) than the ocean carbon-concentration feedback ($\beta_O$). In agreement with Schwinger et al. (2014), the absolute values of $\gamma_O$ are 2-3 times larger when calculated using the COU and BGC simulations, compared to cases when RAD simulation is used, for reasons mentioned earlier. Figures 6 and 7 show also that while the strength of the carbon-concentration feedback is similar over land and ocean, the strength of the carbon-climate feedback parameter over ocean is much weaker than over land.

Section A2 in the appendix discusses how Figures 6 and 7 and corroborate existing studies for the preferred use of the BGC and COU simulations for finding the feedback parameters. Figure 6 and 7 also show that the effect of assuming T* (the temperature change in the BGC simulation) zero is around 1% for the calculated value of the carbon-concentration feedback parameter ($\beta_X, X = L, O$) and around 5% for the carbon-climate feedback parameter ($\gamma_X, X = L, O$). This small effect of T* on the calculated global values of the feedback parameter allows investigation of the reasons for differences among model by using simplified forms of $\beta_X$ and $\gamma_X$ as presented in equations (6) and (7).
For completeness, Table A1 in the appendix summarizes the values of feedback parameters for both land and ocean from CMIP6 and CMIP5 models (corresponding to Figures 6 and 7) at 4×CO₂ but also at 2×CO₂. Table A1 also shows the value of parameter \( \alpha \), the linear transient climate sensitivity to CO₂, following F06 (their equation 6) which is calculated as

\[
T' = \alpha c'
\]  (20)

at 4 xCO₂.

4.4. Reasons for differences among models

4.4.1 Land

Equations (8) and (9) in Section 2.1.1 are used to gain insight into reasons for differing responses of land models. In the BGC-COU approach and assuming \( T^* = 0 \) (equation 8), the carbon uptake in the BGC simulation is used to calculate the carbon-concentration feedback parameter (\( \beta_L \)).

Figure 8 shows how this carbon uptake over land is separated into vegetation and soil+litter components both in absolute (panel a) and fractional terms (panel b). The models are arranged from lowest to highest in terms of their land carbon uptake in the BGC simulation. The partitioning into vegetation and soil+litter components is not shown for the BCC-CSM2-MR model because total land carbon uptake in this model exceeded the sum of changes in the vegetation and soil+litter carbon pools by more than 10% likely because of incomplete accounting of pool sizes. Figure 8b shows that models vary widely in terms of how the carbon uptake over land is split into vegetation and soil+litter components. The model mean values
indicate that slightly more of the carbon sequestered is allocated to vegetation (55%) than to the soil+litter pools (45%).

Figure 9 shows the individual components of equation (8) which contribute to terms corresponding to changes in vegetation ($\Delta C_V$) and soil+litter ($\Delta C_S$) carbon pools. Panel (a) of Figure 8 is repeated in Figure 9 for easy correspondence of individual terms with their models. The model mean values of individual terms do not take into account the results from the BCC-CSM2-MR model. In essence, the terms in Figure 9 are emergent properties of the land models of the individual ESMs and result from their multiple interacting processes. The comparison of the individual terms of equation (8) provides additional insight into the reasons for differences in land models. For example, the CNRM-ESM2-1 model has the highest land carbon uptake among all models in the BGC simulation. However, this is not caused by a strong CO$_2$ fertilization effect (the $\frac{\Delta GPP}{c^t}$ term), but rather by the relatively high $\tau_{\text{veg}A}$ and $\tau_{\text{sol}lA}$ values. The CO$_2$ fertilization effect is strongest for the three models that simulate vegetation cover dynamically ($\frac{\Delta GPP}{c^t}$) since the $\frac{\Delta GPP}{c^t}$ term also implicitly includes the effect of increasing vegetation cover as CO$_2$ increases. The tree cover in the NOAA-GFDL-ESM4 model, for example, increases in the BGC simulation – particularly in dry, high-latitude regions above 50° N (not shown). However, these models do not simulate the largest land carbon uptake because of their lower than average $\tau_{\text{veg}A}$ and $\tau_{\text{sol}lA}$ values. The $\frac{\Delta GPP}{c^t}$ term is unable to capture the CO$_2$ fertilization effect separately.
from increasing vegetation cover and this illustrates the challenge in comparing models that do
and do not simulate vegetation cover dynamically. The CanESM5 model exhibits higher than
average land carbon uptake despite its near average strength of the CO₂ fertilization effect, and
\( \tau_{\text{veg}} \Delta \) and \( \tau_{\text{soil}} \Delta \) values. However, its \( CUE_{\Delta} \) is the highest and therefore a much larger fraction of
GPP is converted to NPP. Although \( CUE_{\Delta} \) is not the same as \( CUE \), we found that \( CUE_{\Delta} \) and \( CUE \)
(calculated at the end of the 1pctCO₂ simulation at 4xCO₂) are strongly correlated with a
correlation of around 0.90 (not shown). Similarly, \( \tau_{\text{veg}} \Delta \) is strongly correlated, with a correlation
of 0.96, to \( \tau_{\text{veg}} = C_V / NPP \) calculated at the end of the simulation. The ACCESS-ESM1.5 model
exhibits the lowest land carbon uptake because of its weak CO₂ fertilization effect and the lowest
\( CUE_{\Delta} \) of all models. Finally, the \( \frac{\Delta R_h}{\Delta LF} \) term shows the least variability across models, which is
reflective of the fact that the magnitude of the heterotrophic respiration flux is dominated by
NPP inputs into the dead carbon pools (Koven et al., 2015). Several of these individual terms are
strongly correlated. The \( \frac{\Delta GPP}{c'} \) and \( \frac{\Delta LF}{c'} \) terms have a correlation of 0.77, and \( CUE_{\Delta} \frac{\Delta GPP}{c} \) and
\( \frac{\Delta LF}{c} \) have a correlation of 0.94, since a stronger CO₂ fertilization effect also implies a larger litter
fall flux per unit CO₂. Surprisingly, \( CUE_{\Delta} \) and \( \tau_{\text{veg}} \) are negatively correlated (correlation = –0.49)
across models indicating that models which retain a higher fraction of GPP as NPP typically get
rid of vegetation carbon sooner via litter fall as indicated by a faster turnover of vegetation (lower
\( \tau_{\text{veg}} \)), there by partially compensating for higher \( CUE_{\Delta} \).
While Figure 9 investigates reasons for differences among models that lead to different values of their carbon-concentration feedback over land ($\beta_L$), Figure 10 investigates the reasons for varying magnitudes of the carbon-climate feedback over land ($\gamma_L$). In equation (9), $\gamma_L$ is a function of change in land carbon (divided into vegetation and soil+litter components) in the COU relative to the BGC simulation and the temperature change in the COU simulation ($T'$). Over land, the higher temperatures in the COU relative to the BGC simulation affect both autotrophic and heterotrophic respiratory fluxes, from live and dead vegetation pools, respectively, but also gross photosynthesis rates. The primary effect of this temperature change in COU versus the BGC simulation is the loss of carbon from the soil+litter carbon pool (hence the negative sign of $\gamma_L$ for most models, Figure 6b and 6d) but changes in the vegetation carbon pool also occur. Although $\gamma_L$ also depends on $T'$, Figure 10 arranges models in order from largest to smallest loss of land carbon in COU relative to the BGC simulation to illustrate the varying response of the models. This ordering of models changes slightly if the carbon loss (or gain in the CanESM5 model) is divided by the temperature change $T'$ in the COU simulation (yielding the value of $\gamma_L$ which assumes $T^*=0$ as in equation 9).

As shown in Figure 10, all models lose carbon from the soil+litter carbon pool but with widely varying magnitudes. Although typically smaller than the change in soil+litter carbon pool, the change in the vegetation carbon pool in the COU relative to the BGC simulation is not of the same sign across models. Six of the eleven participating models lose carbon in the vegetation pool in the COU relative to the BGC simulation thereby contributing to increasing the absolute magnitude of $\gamma_L$, while the remaining five exhibit an increase in the vegetation carbon pool.
thereby decreasing the absolute magnitude of $\gamma_L$. The largest increase in the vegetation carbon pool is seen in the CanESM5 model that more than compensates for the carbon loss from the soil+litter carbon pool yielding a positive value of $\gamma_L$ in contrast to other models. This is one of the few times a positive value of $\gamma_L$ is seen in an Earth system model. Preliminary analysis of CanESM5 data shows the increase in vegetation carbon, in the COU relative to the BGC simulation, is caused by the increase in GPP and the resulting vegetation growth at mid-to-high latitudes in response to warming temperatures and increasing CO2. Interestingly, this doesn’t happen at $2\times$CO2 (see Table A1 in the Appendix). At $2\times$CO2 $\gamma_L$ is still negative for CanESM5.

The loss in land carbon in the COU relative to the BGC simulation (except the CanESM5 model that gains carbon), indicated by the orange bar in Figure 10, is strongly correlated with the carbon gain in the BGC simulation (Figure 4e) (correlation is 0.59 for all models and 0.87 when CanESM5 is excluded) but not with the absolute amount of total land carbon. Figure A2 in the appendix shows the absolute amount of carbon in soil+litter and vegetation pools, and their change from the beginning, for the BGC simulation. The models vary widely in terms of the absolute size of the carbon pools, especially for the soil+litter pool. There are two implications of models losing more carbon in the COU relative to BGC simulation when they take up more carbon in the BGC simulation alone. First, the transient behaviour of a model is determined primarily by its response of CO2 and temperature perturbations and not by the absolute amount of land carbon. Second, that carbon-concentration ($\beta_X$) and carbon-climate ($\gamma_X$) feedback parameters must be correlated as well. Indeed, this is the case over land for both CMIP5 and CMIP6 models, but also true for ocean feedbacks although the correlations are somewhat weaker over the ocean. These
correlations are shown in Table 3 and are negative since higher positive values of $\beta_X$ are correlated with higher negative values of $\gamma_X$ indicating that models that take up more carbon with increasing CO$_2$ also release more carbon when they “see” the associated higher temperatures.

4.4.2 Ocean

The time-integrated air-sea flux of carbon provides the dominant contribution to the increase in the global ocean carbon through changes in the DIC inventory. However, the global ocean carbon inventory is also affected by the land to ocean carbon flux from river runoff, and the carbon burial in ocean sediments (see Table A2 in the appendix).

Ocean carbon cycle feedbacks are defined in terms of ocean carbon inventory changes for the COU simulation, and the differences in COU relative to the BGC simulation. To fully understand the ocean carbon-cycle feedbacks, it is necessary to understand the ocean carbon distributions for the preindustrial and then analyze the carbon anomalies relative to the preindustrial for these climate model experiments.

4.4.2.1 Ocean carbon distribution
The ocean dissolved inorganic carbon distribution, DIC, is controlled by a combination of physical, chemical and biological processes. For the preindustrial period, there is less DIC in warmer waters of the upper ocean and more DIC in colder mid-depth and bottom waters (Figure 11a, 12a); illustrated here for UKESM1-0-LL as a representative example and Figs S1 to S7 show similar distributions for all the diagnosed Earth system models. The vertical extent of the low DIC follows the undulations of the thermocline, which is defined by strong vertical temperature and density gradients, and is deeper over the subtropical gyres at 30°N and 30°S, and shallower in the equatorial zone and at high latitudes. The greater DIC at depth is a consequence of greater solubility in colder waters and the accumulation of DIC from the regeneration of organic matter.

To gain insight into how the ocean carbon distribution is controlled, the DIC is separated into three pools, $\text{DIC}_{\text{sat}}$, $\text{DIC}_{\text{disequilib}}$, and $\text{DIC}_{\text{regenerated}}$, as defined earlier. The DIC distribution for both the preindustrial period and after 140 years in the 1pctCO2 simulation reveal the following key features for each of these carbon pools (Figures 11a,b and 12a,b):

- The saturated carbon pool provides the dominant contribution to the DIC, holding more than 2.15 mol C m$^{-3}$, particularly within cooler waters below the thermocline;
- The regenerated carbon pool enhances the carbon stored below the surface waters, typically providing an additional 0.2 mol C m$^{-3}$ within the Southern Ocean and older waters spreading from the Southern Ocean into the Atlantic and below the thermocline in the Pacific;
- The disequilibrium carbon is small close to the surface, representing waters close to an equilibrium with the atmosphere. There is sometimes a positive disequilibrium of up to 0.05 mol C m$^{-3}$.
mol C m$^{-3}$ in some surface waters, which is associated with upwelling transferring carbon-rich deeper waters to the surface. The disequilibrium carbon is more strongly negative below the thermocline, typically reaching -0.1 mol C m$^{-3}$ in the Atlantic and -0.02 mol C m$^{-3}$ in the Southern Ocean and Pacific. In the preindustrial, the undersaturation in carbon below the thermocline is due to the subduction of cold waters at high latitudes that have not equilibrated fully with the atmosphere, which then spread by advection along density surfaces. In the model integrations reaching year 140, the carbon below the thermocline become further undersaturated relative to the contemporary atmosphere due to the rapid rise in [CO$_2$].

Next we consider the anomalies in the DIC at year 140 in the COU configurations of the 1pctCO2 simulation calculated relative to the preindustrial period. The carbon anomaly, $\Delta$DIC, in the COU configuration is positive over the upper thermocline over the Atlantic and Pacific basins, reaching +0.3 mol C m$^{-3}$, coinciding with regions that are well ventilated. This gain in carbon is made up of an increase in the saturated carbon over all depths due to higher atmospheric CO$_2$. There is a dipole in the disequilibrium anomaly (Figures 11b,c and 12 b,c), generally weakly positive in the upper ocean and more strongly negative in deeper waters below the thermocline reaching up to -0.2 mol C m$^{-3}$. This negative disequilibrium anomaly in deeper waters is smallest in the relatively well-ventilated mid-depth waters of the North Atlantic, but extends over nearly all of the more poorly ventilated mid-depth waters of the Pacific (Figures 11b and 12b).
The regenerated carbon anomaly is relatively small in magnitude reaching less than 0.05 mol C m\(^{-3}\) and varies regionally, enhanced within much of the North Atlantic and the thermocline of the Pacific, but with little change in the deep waters of the Pacific (Figures 11b and 12b). The increase in regenerated carbon is due to a weakening of ocean overturning leading to an increase in residence time and an associated accumulation of DIC from the regeneration of biologically-cycled carbon (Bernardello et al., 2014; Schwinger et al., 2014). The regenerated carbon signal does not change in the mid depths and deep Pacific as 140 years is too short an integration timescale for any effect to be detected.

To diagnose the carbon-cycle feedback parameters, the ocean carbon response needs to be considered for the BGC configuration where there is no additional warming from the increase in atmospheric CO\(_2\) and limited change in climate and ocean circulation. The resulting DIC anomalies are generally very similar to those for the COU configuration (Figures 11b,c and 12b,c), which is to be expected as the dominant effect for the ocean carbon response is the enhanced ocean uptake of carbon in response to the increase in [CO\(_2\)]. There is a weakening in ventilation in the COU configuration due to the additional radiative forcing. In comparison, in the BGC configuration, there is no change in the circulation as there is no radiative warming effect, so that there is slightly more carbon uptake in the northern North Atlantic, such as revealed at around 50\(^\circ\)N, compared with the COU configuration. For the BGC configuration, the saturated carbon pool is slightly greater at depth due to the water masses being cooler than in the COU configuration, the disequilibrium anomaly shows a less negative anomaly in the northern North
Atlantic because there is little or no change in ventilation, and there are only slight differences in
the regenerated pool.

The climate response to rising [CO$_2$] is now considered in terms of the difference in the COU and
BGC configurations, which includes the combined effects of warming and circulation changes
(Figures 11d and 12d). The surface warming drives a decrease in solubility, an increase in
stratification and a reduction in ventilation, which leads to an overall decrease in carbon uptake
over the Southern Ocean and Pacific basins, and much of the Atlantic basin. There is a decrease
in the saturated carbon pool associated with the warming acting to inhibit carbon uptake. The
regenerated carbon anomaly is enhanced in the deep northern North Atlantic and in the
Southern Ocean. The regenerated carbon anomaly for this climate response is very similar to that
for the COU configuration, suggesting that the regenerated carbon anomaly is mainly due to
circulation changes: the gain in regenerated carbon anomaly is consistent with the expected
longer residence time from a weaker overturning and ventilation. There is a more negative
disequilibrium anomaly in the deep waters of the North Atlantic, which is a consequence of
weaker ventilation.

To gain more insight into the disequilibrium response, the ocean DIC response is also considered
for the radiatively-coupled integration (RAD), where there is no increase in [CO$_2$]. The additional
warming leads to a weakening in the overturning, which enhances the residence time in the
surface waters and so generally decreases the magnitude of the disequilibrium anomaly in the
North Atlantic (Figure S8), making the disequilibrium less negative relative to the preindustrial and so forming a positive disequilibrium anomaly at year 140. In comparison the COU-BGC captures the effect of the warming under rising $[\text{CO}_2]$ leading to the disequilibrium anomaly instead becoming more negative at depth, since the weakening in the ventilation leads to more of the anthropogenic carbon remaining at the surface rather than being transferred into the deeper ocean (Schwinger et al., 2014).

4.4.2.2 Changes in ocean carbon pools for diagnosing feedback parameters

The ocean carbon-concentration feedback parameter, $\beta_O$, is diagnosed from the changes in the ocean carbon inventories for the BGC configuration, which does not include radiative warming due to increasing $[\text{CO}_2]$ (equation 13). There is a consistent increase in ocean carbon storage across all models with a model mean value of around 670 PgC (Figure 13, light blue bars). This increase in ocean carbon storage is made up of an increase in the saturated carbon inventory, $\Delta C_{\text{sat}}$, by about 3100 PgC from the increase in $[\text{CO}_2]$ (Figure 13, red bars). This increase is partly offset by a more negative disequilibrium carbon, $\Delta C_{\text{disequilib}}$, of typically -2500 PgC (Figure 13, dark blue bars), representing how the ocean carbon uptake cannot keep up with the rate of $[\text{CO}_2]$ increase. There is relatively little change in the regenerated carbon inventory, $\Delta C_{\text{regenerated}}$. The resulting $\beta_O$ is positive and mainly explained by the chemical response involving the rise in ocean saturation with no significant biological changes, although the physical uptake of carbon within the ocean is unable to keep pace with the rise in $[\text{CO}_2]$. 

Preprint. Discussion started: 9 December 2019
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The ocean carbon-climate feedback parameter, $\gamma_O$, is diagnosed from the difference between the COU model configuration and the BGC configuration, and so includes the effect of an increasing surface warming under rising [CO$_2$] (equation 14). There is a broadly consistent response across models, with a model mean decrease in carbon inventory of around 80 PgC due to the additional warming in the COU configuration relative to the BGC configuration (Figure 14, light blue bars). The effect of this additional warming and the associated climate change leads to a decrease in both the saturated carbon and disequilibrium carbon of typically -60 and -70 PgC (Figure 14, orange and dark blue bars), representing the decrease in solubility and decreased ocean ventilation. There is an increase in the regenerated carbon of typically 50 PgC (Figure 14, green bars), which is due to a weaker circulation leading to a longer residence time of thermocline and deep waters, so that there is more time for the accumulation of regenerated carbon below the mixed layer. The resulting $\gamma_O$ is negative, indicating that the ocean takes up less carbon in response to the combination of surface warming and a weakening in ocean ventilation. This response involves a combination of chemical, physical and biological changes where the warming reduces the solubility of the carbon in the ocean and a weakening in the circulation decreases the disequilibrium pool, but lengthens the residence time and so increases the regenerated pool.

Overall, the ocean carbon inventory increases in the BGC configuration by 666±53 PgC (model mean ± ensemble standard deviation), and decreases in COU relative to BGC by -80±15 PgC. The resulting $\beta_O$ is very similar across all the models (0.78±0.06 PgC ppm$^{-1}$), reflecting the strong control of carbonate chemistry by rising atmospheric CO$_2$ (Katavouta et al., 2018). The dominant
contributions are composed of a positive contribution from the saturated carbon (3.66±0.16 PgC ppm\(^{-1}\)) and a negative contribution from the disequilibrium carbon (-2.98±0.16 PgC ppm\(^{-1}\)) (see Table A3 in the Appendix); these inter-model differences are relatively small with ratios of the standard deviation to model mean of only 0.05 and 0.06 respectively. The regenerated contribution is over two orders of magnitude smaller than the sum of the saturated and disequilibrium contributions, and so may be neglected for evaluating \(\beta_O\).

The values of \(\gamma_O\) differ more strongly across the models (-16.95±5.62 PgC °C\(^{-1}\)) and arise from differences in the extent of the surface warming and the dynamical changes in the ocean circulation and resulting changes in ventilation, residence time and biological regeneration (Table A3). The contributions to \(\gamma_O\) include negative contributions from the saturated (-12.78±2.50 PgC °C\(^{-1}\)) and disequilibrium (-16.36±5.31 PgC °C\(^{-1}\)) components, which are partly opposed by a positive contribution from the regenerated component (12.25±8.53 PgC °C\(^{-1}\)). The largest intermodel differences are in the regenerated and disequilibrium responses and a relatively small spread in the saturated response, with the ratios of the standard deviation to the model mean are 0.70, 0.33 and 0.20 respectively (Table A3).

4.5. Transient climate response (TCR) and transient climate response to cumulative emissions (TCRE)
Other than the feedbacks associated with the coupled carbon cycle and climate system, the idealized 1pctCO2 simulation is also used for calculating two other climate metrics routinely. The first is the transient climate response (TCR) which is defined as the temperature change, relative to the preindustrial state, at the time of CO2 doubling ($\Delta T_{2xCO2}$), that occurs at 70 years after the start of the simulation. The second is the transient climate response to cumulative emissions (TCRE) which is defined as ratio of TCR to diagnosed cumulative fossil fuel emissions also at the time of CO2 doubling ($E_{2xCO2}$) (Matthews et al., 2009) typically expressed in units of °C/EgC ($1$ EgC $= 1000$ PgC).

$$TCRE = \frac{\Delta T_{2xCO2}}{E_{2xCO2}}$$

It has been shown that TCRE is approximately constant over a wide range of cumulative emissions and emission pathways (e.g. see review by MacDougall, 2016). Therefore, although non-CO$_2$ GHGs and other climate forcings (e.g. aerosols and land use change) also affect the realized warming, TCRE is a considered to be a straightforward measure of peak warming caused by anthropogenic CO$_2$ emissions.

We do not discuss here TCR and TCRE in detail since the focus of our study is on carbon feedbacks. However, both these quantities are readily calculated using results presented in this study. Table A4 in the appendix lists TCR, $E_{2xCO2}$, and TCRE from the eleven CMIP6 models considered in this study. The mean ± standard deviation range for TCR, $E_{2xCO2}$, and TCRE from the eleven CMIP6 models considered here are $1.99 \pm 0.44$ °C, $1121 \pm 73$ PgC, and $1.78 \pm 0.41$ °C EgC$^{-1}$, respectively.
For fifteen CMIP5 models, Gillett et al. (2013) calculated the mean ± standard deviation range for TCRE to be $1.63 \pm 0.48 \, ^{\circ}\text{C} \, \text{EgC}^{-1}$ and a 5%-95% range for its observationally constrained value as $0.7$-$2.0 \, ^{\circ}\text{C} \, \text{EgC}^{-1}$. The TCRE metric has gained significant policy relevance (Frame et al., 2014; Millar et al., 2016) and it is used to calculate the remaining allowable carbon emissions to reach a specified temperature change target above the preindustrial level (Millar et al., 2017; Rogelj et al., 2019).

The uncertainties in TCRE stem from uncertainties both in TCR and $E_{2 \times CO2}$ which is directly affected by land and ocean carbon uptake. A large fraction of uncertainty in $E_{2 \times CO2}$ comes from the diverse response of land carbon cycle models and the results presented here indicate that representation of the nitrogen cycle is helpful in reducing this uncertainty, as indicated by the spread across land models. For the results reported here from eleven CMIP6 models, however, the uncertainty in TCR (mean ± standard deviation = $1.99 \pm 0.44 \, ^{\circ}\text{C}$) is much greater than the uncertainty in $E_{2 \times CO2}$ ($1121 \pm 73 \, \text{PgC}$) so that TCR contributes about 90% of the total uncertainty in the calculated TCRE value ($1.78 \pm 0.41 \, ^{\circ}\text{C} \, \text{EgC}^{-1}$) (see section A6 in the Appendix).

The TCRE may also be expressed in terms of a product of a thermal contribution from the dependence of surface warming on radiative forcing and a carbon contribution from the dependence of radiative forcing on cumulative carbon emissions (Williams et al., 2016; Katavouta et al., 2018), as...
\[
TCRE = \frac{\Delta T_{2\times CO2}}{\Delta R_{2\times CO2}} \cdot \frac{\Delta R_{2\times CO2}}{E_{2\times CO2}}
\]

(22)

where \( \Delta R_{2\times CO2} \) is the change in radiative forcing relative to the preindustrial period. For a suite of ten CMIP5 models, Williams et al. (2017) show that the inter-model spread in the TCRE calculated from the 1pctCO2 experiment, is again dominated by the inter-model differences in the thermal contribution, \( \frac{\Delta T_{2\times CO2}}{\Delta R_{2\times CO2}} \), due to climate feedback and ocean heat uptake over the first few decades, but the inter-model differences in the carbon contribution, \( \frac{\Delta R_{2\times CO2}}{E_{2\times CO2}} \), due to land and ocean carbon uptake become of comparable importance after 80 years.

Although a large fraction of uncertainty in TCRE is contributed by physical climate system processes that determine TCR and not the biogeochemical processes that determine \( E_{2\times CO2} \), reducing the uncertainty in land and ocean carbon uptake across models will still contribute to reducing the uncertainty in the estimates of TCRE on centennial timescales.

5. Summary and conclusions

Model intercomparison projects offer several benefits including calculation of model mean response, quantification of the uncertainty based on the spread across models, and how this uncertainty changes over time that allows modellers to evaluate how their model’s response is different from others’. The carbon feedbacks analysis presented here based on the C4MIP
protocol of experiments (Jones et al., 2016) allows to investigate how feedback strengths have
evolved since CMIP5 and also attempts to understand the reasons behind the spread in models.

The carbon uptake over land and ocean, in response to increasing atmospheric CO₂
concentration, is well known to be dominated by the positive contribution from the carbon-
concentration feedback (Arora et al., 2013a; Gregory et al., 2009). The strength of this feedback
is of comparable magnitudes over land (mean ± standard deviation = 0.97±0.40 PgC ppm⁻¹) and
ocean (0.79±0.07 PgC ppm⁻¹) although the feedback is much more uncertain over land as
indicated by the standard deviation across the eleven models considered here. This dominant
positive contribution from the carbon-concentration feedback is, however, opposed by the
weaker negative carbon-climate feedback that is associated with the climate change that results
due to increasing atmospheric CO₂. The absolute magnitude of this weaker negative feedback is
about three times larger, but an order of magnitude more uncertain, over land (−45.1±50.6 PgC
°C⁻¹) than over ocean (−17.2±5.0 PgC °C⁻¹). Model estimates of the ocean carbon-concentration
feedback are very consistent with each other, reflecting the strong control of how carbonate
chemistry alters with rising atmospheric CO₂. There is a relatively wider range in the model
estimates of the ocean carbon-climate feedback, particularly in terms of how changes in ocean
circulation alter the disequilibrium and regeneration terms. Over land, however, since the
carbon-concentration and carbon-climate feedbacks are determined entirely by biological
process, which are much less understood, the resulting uncertainty is much higher across land
models than across the ocean models. This uncertainty in the strength of carbon-concentration
and carbon-climate feedbacks over land is well known (Arora et al., 2013b; Friedlingstein et al.,


The inclusion of N cycle results in lower absolute strength of the feedback parameters over land but also a reduced spread across the land models. While the uncertainty in TCRE is dominated by physical processes affecting the thermal response involving climate feedbacks and heat uptake on decadal timescales, a reduction in the uncertainty in land and ocean carbon uptake across models will reduce the uncertainty in the TCRE on centennial timescales.

The additional analyses that we have performed to gain further insight into the reasons for differences among models provide insight into their diverse response, especially for land models. Over land, the diverse response of models is found to be primarily due to the wide range of the strength of the CO₂ fertilization effect, the fraction of GPP that is converted to NPP, and the residence times of carbon in the live (vegetation) and dead (litter plus soil) carbon pools across models. There is more consistency in the response of the ocean models, although inter-model differences arise from differences in the ventilation and residence time altering the ocean disequilibrium and regenerated carbon.

Finally, the decision to use fully- and biogeochemically coupled configurations of the 1pctCO2 experiment as the standard simulations to diagnose carbon cycle and climate system feedbacks from should provide consistency and continuity for future versions of Earth system models to be compared against their predecessors.
Table 1: The values of the carbon-concentration ($\beta$) and carbon-climate ($\gamma$) feedback parameters can be solved using results from any two combinations of the RAD, BGC and COU versions of an experiment as shown in equation (1). In addition, when using results from the BGC and COU simulations the effect of temperature change in the BGC simulation ($T^*$) can be neglected, as was done in the F06 study, yielding approximate values for $\beta_X$ and $\gamma_X$.

<table>
<thead>
<tr>
<th>Approach</th>
<th>$\gamma_X$</th>
<th>$\beta_X$</th>
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</thead>
<tbody>
<tr>
<td>The RAD-BGC approach</td>
<td>$\gamma_X = \frac{\Delta C_X^<em>}{T^</em>}$</td>
<td>$\beta_X = \frac{\Delta C_X^<em>}{c'} - \frac{\gamma_X T^</em>}{c'}$</td>
</tr>
<tr>
<td>The RAD-COU approach</td>
<td>$\gamma_X = \frac{\Delta C_X^<em>}{T^</em>}$</td>
<td>$\beta_X = \frac{\Delta C_X^*}{c'} - \frac{\gamma_X T'}{c'}$</td>
</tr>
<tr>
<td>The BGC-COU approach</td>
<td>$\gamma_X = \frac{\Delta C_X^<em>}{T'} - \frac{\Delta C_X}{T^</em>}$</td>
<td>$\beta_X = \frac{\Delta C_X^<em>}{c'} \left( \frac{\Delta C_X T' - \Delta C_X T^</em>}{T' - T^*} \right)$</td>
</tr>
<tr>
<td>The BGC-COU approach with $T^* = 0$</td>
<td>$\gamma_X = \frac{\Delta C_X^*}{T'}$</td>
<td>$\beta_X = \frac{\Delta C_X^*}{c'}$</td>
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<tr>
<td>Modelling group</td>
<td>CSIRO</td>
<td>BCC</td>
</tr>
<tr>
<td>-----------------</td>
<td>-------</td>
<td>-----</td>
</tr>
<tr>
<td><strong>ESM</strong></td>
<td>ACCESS-ESM1.5</td>
<td>BCC-CSM2-MR</td>
</tr>
<tr>
<td><strong>Atmosphere resolution</strong></td>
<td>1.875°x1.25°, L38</td>
<td>1.125°x1.125°, L46</td>
</tr>
<tr>
<td><strong>Ocean resolution</strong></td>
<td>1° but finer between 105-10N and in the Southern Ocean, L50</td>
<td>1° but becoming finer to 1/3° within 30°N - 30°S, L40</td>
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<table>
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<tr>
<td>Number of dead carbon pools</td>
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</tr>
<tr>
<td>Number of plant functional types (PFTs)</td>
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</tr>
<tr>
<td>Fire</td>
<td>No</td>
</tr>
<tr>
<td>Dynamic vegetation cover</td>
<td>No</td>
</tr>
<tr>
<td>Nitrogen cycle</td>
<td>Yes (and phosphorus)</td>
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<table>
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<tr>
<td>Model name</td>
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<tr>
<td>Number of phytoplankton types</td>
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</tr>
<tr>
<td>Number of zooplankton types</td>
<td>1</td>
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<td>-----------------</td>
<td>------</td>
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<td>ESM</td>
<td>IPSL-CM6A-LR</td>
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<td>Ocean resolution</td>
<td>1°-0.3° in the Tropics L75</td>
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<table>
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<th>Land carbon/biogeochemistry component</th>
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<tbody>
<tr>
<td>Model name</td>
</tr>
<tr>
<td>Number of live carbon pools</td>
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<tr>
<td>Number of dead carbon pools</td>
</tr>
<tr>
<td>Number of plant functional types (PFTs)</td>
</tr>
<tr>
<td>Fire</td>
</tr>
<tr>
<td>Dynamic vegetation cover</td>
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<tr>
<td>Nitrogen cycle</td>
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<table>
<thead>
<tr>
<th>Ocean carbon/biogeochemistry component</th>
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<tbody>
<tr>
<td>Model name</td>
</tr>
<tr>
<td>Number of phytoplankton types</td>
</tr>
<tr>
<td>Number of zooplankton types</td>
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Table 2: Primary features of the physical atmosphere and ocean components, and land and ocean carbon cycle components of the eleven participating models in this study.
Table 3: Correlation between carbon-concentration ($\beta_X$) and carbon-climate ($\gamma_X$) feedback parameters over land and ocean across comprehensive ESMs from the CMIP5 intercomparison in the A13 study and CMIP6 intercomparison in this study. For land correlation is also shown when CanESM5 is excluded from CMIP6 models.

<table>
<thead>
<tr>
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<th>Land</th>
<th>Ocean</th>
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<tbody>
<tr>
<td></td>
<td>$-0.69$</td>
<td>$-0.92$ (excluding CanESM5)</td>
</tr>
<tr>
<td></td>
<td>$-0.82$</td>
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Figure 1: Temperature changes in the fully-, biogeochemically- and radiatively-coupled configurations of the 1pctCO2 experiment across participating CMIP6 (panel a) and CMIP5 (panel b) comprehensive ESMs that participated in this and the Arora et al. (2013) study, respectively. Model mean is indicated by the solid lines and the range across the models is indicated by shading around the solid lines. Individual model results are shown in Figure 4.
Figure 2: Model mean values and the range across models for annual simulated atmosphere-land CO$_2$ flux (top row) and their cumulative values (bottom row) for participating CMIP6 (left column) and CMIP5 (right column) models from the fully-, biogeochemically- and radiatively-coupled versions of the 1pctCO2 experiment. Individual model results are shown in Figure 4.
Figure 3: Model mean values and the range across models for annual simulated atmosphere-ocean CO2 flux (top row) and their cumulative values (bottom row) for participating CMIP6 (left column) and CMIP5 (right column) models from the fully-, biogeochemically- and radiatively-coupled versions of the 1pctCO2 experiment. Individual model results are shown in Figure 4.
Figure 4: Individual model values from CMIP6 models for globally-averaged surface temperature change (top row), cumulative atmosphere-land CO$_2$ flux (middle row), and cumulative atmosphere-ocean CO$_2$ flux (bottom row) from the fully-, biogeochemically- and radiatively-coupled versions of the 1pctCO2 experiment. Results from the radiatively-coupled configuration were not available from NorESM2-LM models at the time of writing.
Figure 5: Components of the carbon budget terms in cumulative emissions from the eleven participating CMIP6 models based on equation (15) in panel (a) and equation (16) in panel (b) using results from the fully-coupled 1pctCO2 simulation. The models are arranged in an ascending order based on their cumulative emissions values. Results from participating CMIP5 models in the A13 study are shown in panels c and d. In addition, ESMs whose land component includes a representation of N cycle are identified by red font colour for cumulative land carbon uptake (panels a and c) and fractional emissions taken up by land (panels b and d). Model mean is shown for all models but also separately for models whose land components include or do not include a representation of the N cycle.
Figure 6: Carbon-concentration (panel a) and carbon-climate (panel b) feedback parameters over land from participating CMIP6 models calculated using the approaches summarized in Table 1. The boxes show the mean ± 1 standard deviation range and the individual coloured dots represent individual models. Models which include a representation of land nitrogen cycle are identified with a circle around their dot. Model-mean ± 1 standard deviation range of feedback parameters is also separately shown for models which do and do not represent land nitrogen cycle using the BGC-COU approach. Results from participating CMIP5 models in the A13 study are shown in panels c and d. Note that among CMIP6 models results from NorESM2-LM were not available for the RAD simulation at the time of writing.
Figure 7: Carbon-concentration (panel a) and carbon-climate (panel b) feedback parameters over ocean from participating CMIP6 models calculated using the approaches summarized in Table 1. The boxes show the mean ± 1 standard deviation range. Results from participating CMIP5 models in the A13 study are shown in panels c and d. Note that among CMIP6 models results from NorESM2-LM were not available for the RAD simulation at the time of writing.
Figure 8: Carbon uptake over land in the BGC simulation, used to calculate land carbon-concentration feedback ($\beta_L$) and its partitioning into vegetation and soil+litter carbon pools across the participating CMIP6 models (panel a). Panel (b) shows the fractional land carbon uptake by vegetation and soil+litter carbon pools in the BGC simulation. No partitioning is shown for the BCC-CSM2-MR model because total land carbon uptake in this model exceeded the sum of changes in the vegetation and soil+litter carbon pools by more than 10%. Total land carbon uptake in models which include a representation of the N cycle is shown in red color. The results from the BCC-CSM2-MR model are not used in calculating the model-mean values.
Figure 9: Individual terms of equation (8) which contribute to changes in vegetation \( \Delta C_V \) and litter+soil \( \Delta C_S \) carbon pools. Values from the BCC-CSM2-MR model are not used in calculating the model-mean.
Figure 10: The changes in vegetation and soil+litter carbon pools in the COU relative to the BGC simulation, as shown in equation (9), which contribute to the calculation of carbon-climate feedback over land ($\gamma_L$) in the BGC-COU approach.
Figure 11. Meridional section of the dissolved inorganic carbon, $DIC$ (mol m$^{-3}$), and constituent carbon pools in UK-ESM1-0-LL for the zonally-averaged Atlantic and Southern Ocean: (a) the preindustrial absolute concentrations, and the anomalies relative to the preindustrial state at year 140 for (b) the COU configuration, (c) the BGC configuration and (d) the COU minus the BGC configuration. The $DIC$ is separated into saturated carbon, $DIC_{sat}$, the disequilibrium carbon, $DIC_{disequilb}$, and the regenerated carbon, $DIC_{regenerated}$. The Atlantic and Southern Ocean domains are separated by a black vertical line.
Figure 12. Meridional section of the dissolved inorganic carbon, $\text{DIC}$ (mol m$^{-3}$), and constituent carbon pools in UK-ESM1-0-LL for the zonally-averaged Pacific and Southern Ocean: (a) the preindustrial absolute concentrations, and the anomalies relative to the preindustrial state at year 140 for (b) the COU configuration, (c) the BGC configuration and (d) the COU minus the BGC configuration. The $\text{DIC}$ is separated into saturated carbon, $\text{DIC}_{\text{sat}}$, the disequilibrium carbon, $\text{DIC}_{\text{disequilib}}$, and the regenerated carbon, $\text{DIC}_{\text{regenerated}}$. The Pacific and Southern Ocean domains are separated by a black vertical line.
Figure 13. Carbon uptake over the ocean in the biogeochemically-coupled simulation, used to calculate ocean carbon-concentration feedback and its partitioning into saturated, disequilibrium and regenerated carbon pools across the participating CMIP6 models (left panels) using equation (12). No partitioning is shown for models for which 3D ocean fields were not available and the results of these models are not used in calculating the model mean values (right panel). The sum of the partitions does not exactly match the total ocean uptake diagnosed from the air-sea fluxes due to land-ocean interactions involving storage in sediments and river inputs.
Figure 14. Change in saturated, disequilibrium and regenerated carbon pools in the fully coupled minus the biogeochemical simulation using equation (12), which contribute to the calculation of carbon-concentration feedback over the ocean. The sum of the partitions does not exactly match the total ocean uptake diagnosed from the air-sea fluxes due to land-ocean interactions involving storage in sediments and river inputs.
Appendix

A1. The climate carbon cycle feedbacks framework

The rate of change of carbon in the combined atmosphere-land-ocean system is written as

\[ \frac{dp_C}{dt} = \frac{dp_{CA}}{dt} + \frac{dp_{CL}}{dt} + \frac{dp_{CO}}{dt} = E \]  \hspace{1cm} (A1)

where the Global carbon pool \( C_G = C_A + C_L + C_O \) is the sum of carbon in the Atmosphere, Land and Ocean components (PgC), and \( E \) is the rate of anthropogenic CO2 emission (PgC/yr) into the atmosphere. The equations for the atmosphere, land and ocean are

\[ \frac{dC_A}{dt} = F_A(T, c) + E \]
\[ \frac{dC_L}{dt} = F_L(T, c) \]
\[ \frac{dC_O}{dt} = F_O(T, c) \]  \hspace{1cm} (A2)

where \((F_L + F_O) = -F_A\) are the fluxes between the atmosphere and the underlying land and ocean, taken to be positive into the components. The fluxes \( F \) are expressed as functions of surface temperature \( T \) and the surface atmospheric CO2 concentration \( c \). Here and subsequently, uppercase \( C \) denotes carbon pools and lowercase \( c \) denotes atmospheric CO2 concentration.
In the fully-, biogeochemically-, and radiatively-coupled versions of the 1pctCO2 experiments analyzed here, the rate of change of atmospheric carbon $\frac{dC_A}{dt}$ is specified in equations (A1) and (A2). The uptake or release of CO$_2$ by the underlying land and ocean yields an effective emission $E$ which serves to maintain the budget.

The changes in atmosphere carbon budgets, from the pre-industrial control simulation, in the differently coupled simulations are represented as

Radiatively-coupled

$$\frac{dC_A}{dt} - E^+ = F_A^+ = -F_L^+ - F_O^+ = \Gamma_A T^+$$

Biogeochemically-coupled

$$\frac{dC_A}{dt} - E^* = F_A^* = -F_L^* - F_O^* = \Gamma_A T^* + B_A c'$$

Fully-coupled

$$\frac{dC_A}{dt} - E = F_A' = -F_L' - F_O' = \Gamma_A T' + B_A c'$$

which serve to define the instantaneous carbon-concentration ($B_A$) and carbon-climate ($\Gamma_A$) feedback parameters and assume linearization of the globally integrated surface-atmosphere CO$_2$ flux in terms of global mean temperature and concentration change. In equation (A3), $F^+$, $F^*$, and $F'$ are the flux changes and $T^+$, $T^*$, and $T'$ the temperature changes in the radiatively-, biogeochemically- and fully-coupled simulations, and $E^+$, $E^*$, and $E$ are the resulting implicit emissions. $c'$ is the specified CO$_2$ concentration change above its pre-industriical level in the 1pctCO2 simulations. In the biogeochemically-coupled simulation there is no radiative forcing due to increasing CO$_2$ so $T^*$ is small, although not zero and exhibits a distinct spatial pattern. The
assumption made in equation (A3) is that the feedback parameters are the same in the three cases.

Carbon budget changes for the land component parallel (A3) but without the emissions terms as

Radiatively-coupled
\[
\frac{dC_L^t}{dt} = F_L^t = \Gamma_L T^t
\]  \hspace{1cm} (A4a)

Biogeochemically-coupled
\[
\frac{dC_L^*}{dt} = F_L^* = \Gamma_L T^* + B_L c'
\]  \hspace{1cm} (A4b)

Fully-coupled
\[
\frac{dC_L'}{dt} = F_L' = \Gamma_L T' + B_L c'
\]  \hspace{1cm} (A4c)

and similarly for the ocean component. Since \( F_A = -(F_L + F_O) \) it follows that \( \Gamma_A = - (\Gamma_L + \Gamma_O) \) and \( B_A = -(B_L + B_O) \). There are no terms involving \( c' \) in the radiatively-coupled simulation (equations 3a and 4a) since the pre-industrial value of atmospheric CO2 concentration is prescribed for the biogeochemistry components so \( c' = 0 \) and does not affect the flux.

The instantaneous feedback parameters (\( B_L \) and \( \Gamma_L \)) differ from that in the integrated flux approach of Friedlingstein et al. (2006) who express time integrated flux changes (i.e. change in pool or reservoir sizes) as functions of temperature and CO2 concentration changes with

Radiatively-coupled
\[
\int F_L^t = \Delta C_L^t = \gamma_L T^t
\]  \hspace{1cm} (A5a)

Biogeochemically-coupled
\[
\int F_L^* = \Delta C_L^* = \gamma_L T^* + \beta_L c'
\]  \hspace{1cm} (A5b)

Fully-coupled
\[
\int F_L' = \Delta C_L' = \gamma_L T' + \beta_L c'
\]  \hspace{1cm} (A5c)
and similarly for the ocean component, with the assumption that the $\Delta C'_{O}$ term includes changes in the carbon amount of ocean sediment as well.

The units of instantaneous and integrated flux based parameters are different ($\Gamma$ - PgC yr$^{-1}$ °C$^{-1}$, $\beta$ - PgC ppm$^{-1}$ and $\gamma$ - PgC °C$^{-1}$, $\beta$ - PgC ppm$^{-1}$). Arora et al. (2013) show how the instantaneous and integrated flux based feedback parameters are related to each other.

Integrating equations (A1) and (A2) from initial time to $t$ gives

$$\Delta C'_A + \Delta C'_L + \Delta C'_O = \int_0^t E \, dt = \bar{E}$$  \hspace{1cm} (A6)

Where $\Delta C'_A = 2.12 (c(t) - c(0))$ is the change in atmospheric carbon burden (the factor 2.12 converts atmospheric CO$_2$ concentration from ppm to atmospheric burden in PgC) and $\Delta C'_X = \int_0^t F'_X \, dt$, $X = L, O$ is the cumulative flux equal to the change in the land or ocean carbon pool for the fully-coupled simulation. The terms in equation (A6) indicate the contribution of changes in atmosphere, land and ocean carbon pools to cumulative emissions $\bar{E}$. Finally, division by the cumulative emissions term in equations (A6) gives all the terms in a fractional form as

$$f_A + f_L + f_O = 1$$  \hspace{1cm} (A7)
where $f_A$ is the airborne fraction of cumulative emissions and $f_L$ and $f_O$ are fractional emissions taken up by the land and ocean. These components are evaluated at the time of CO$_2$ quadrupling.

A2. Justification for using BGC and COU simulations for finding feedback parameters

Figures 6 and 7 provide justification for using the BGC-COU approach, over the RAD-BGC and RAD-COU approaches, in calculating the feedback parameters as discussed below. In Figure 7, the absolute magnitude of $\gamma_O$ when using the BGC-COU approach is about twice in CMIP5 models (and more than three times in CMIP6 models) compared to its model-mean value calculated using the RAD-BGC and RAD-COU approaches. The reason for this is that the RAD simulation misses the suppression (due to weakening of the ocean circulation) of carbon drawdown to the deep ocean. This is because there is no buildup of a strong carbon gradient from the atmosphere to the deep ocean in the RAD simulation. This process is important when climate change is forced by increasing atmospheric CO$_2$, and therefore feedback parameters calculated using the BGC-COU approach are more likely to include all processes relevant to application for realistic scenarios. In Figure 6, although the carbon-climate feedback parameter over land ($\gamma_L$) is larger in absolute amount, it is comparatively less sensitive to the approach used, than over ocean, because over land an increase in temperature not only increases the respiratory losses but also affects photosynthetic processes especially in conjunction with increasing CO$_2$. Warmer temperatures increase photosynthesis over mid to high latitude regions where photosynthesis is currently limited by temperature and more so with increasing CO$_2$, but decrease photosynthesis over tropical regions where the temperatures are already too warm for optimal photosynthesis. The
net result of these compensating processes plays out very differently in different models and in the model-mean sense this results in less sensitivity of the calculated value of carbon climate feedback parameter over land ($\gamma_L$) to the different approaches than over ocean. This is seen in both CMIP5 and CMIP6 models. When $\gamma_L$ is calculated using the RAD-BGC and RAD-COU approaches, it is exclusively calculated using results from the RAD simulation. However, since over land photosynthesis is also affected by temperature in addition to respiration (with widely varying responses between models) the $\gamma_L$ values vary widely between models between the RAD-BGC/RAD-COU approach and the BGC-COU approach. This is seen, for example, for ACCESS-ESM1.5, IPSL, and CanESM5 models in Figure 6b. The very different values of $\gamma_L$ for individual models, when using different approaches to calculate them, are the result of the differing responses of the vegetation and soil+litter carbon pools, in the RAD and COU simulations, and this is supported by results that were presented in Section 4.3.2.

In Figure 7 value of $\gamma_O$ changes sign for the CNRM-ESM2-1 model from positive when calculated using the RAD-BGC or RAD-COU approaches to negative when calculated using the BGC-COU approach and this further illustrates the sensitivity of feedback parameters to the approach used to calculate them. This non-linear behaviour for a previous version of the CNRM model has been document in Schwinger et al. (2014) and caused by the large increase in regenerated DIC in the RAD simulation, similar to the increase in the COU relative to the BGC simulation, as shown in Figure 14 for the CNRM-ESM2-1 model. This non-linear behaviour is stronger in CNRM-ESM2-1, compared to CNRM-ESM1, its previous version (Séférian et al., 2016), most likely due to a new parameterization for N fixation which increases ocean NPP and a revised parameterization for
organic matter remineralization in the model’s ocean biogeochemistry component (PISCESv2-gas). A contribution to a positive $\gamma_O$ is also made by declining sea ice in the RAD simulation which leads to changes in the sign of the air-sea carbon exchange in the Southern Ocean. The vertical profile of dissolved inorganic carbon in the Southern Ocean in BGC and COU simulations (with rising [CO$_2$]) is different from that in the RAD simulation (for the preindustrial [CO$_2$]) and this leads to additional non-linearities.
A3. Additional Figures

Figure A1: Components of the carbon budget terms in cumulative emissions from the eleven participating CMIP6 models based on equation (15) in panel (a) and equation (16) in panel (b) using results from the fully-coupled 1% per year increasing CO2 simulation but at 2×CO2 (year 70) in contrast to Figure 5 which showed these results at 4×CO2. The models are arranged in an ascending order based on their cumulative emissions values. Results from participating CMIP5 models in the A13 study are shown in panels c and d. In addition, ESMs whose land component includes a representation of N cycle are identified by red font colour for cumulative land carbon uptake (panels a and c) and fractional emissions taken up by land (panels b and d). Model mean is shown for all models but also separately for models whose land components include or do not include a representation of the N cycle.
Figure A2: Absolute amounts and the change from the beginning of the BGC simulation for carbon in soil+litter (panels a and b) and vegetation (panels c and d) pools.
## A4. Additional tables

**Table A1**: Values of carbon-concentration and carbon-climate feedback parameters for land and ocean calculated using the B-C approach (using results from the COU and BGC simulations), and the linear transient climate sensitivity to CO$_2$, from CMIP6 and CMIP5 models at 4×CO$_2$ (i.e. at the end of the 1pctCO$_2$ simulation) and 2×CO$_2$.

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<tr>
<td>IPSL-CM5A-LR</td>
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<td>-17.6</td>
<td>0.89</td>
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<tr>
<td>MIROC-ESM</td>
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<td>0.75</td>
<td>-20.94</td>
<td>0.82</td>
<td>0.00660</td>
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<tr>
<td>MPI-ESM-LR</td>
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<td>1.49</td>
<td>-18.36</td>
<td>0.85</td>
<td>0.00582</td>
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<tr>
<td>NorESM-ME</td>
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<td>-18.72</td>
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<tr>
<td>HadGEM2-ES</td>
<td>-54.94</td>
<td>1.24</td>
<td>-21.88</td>
<td>0.82</td>
<td>0.00607</td>
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<tr>
<td><strong>Model mean</strong></td>
<td><strong>-57.92</strong></td>
<td><strong>0.93</strong></td>
<td><strong>-17.29</strong></td>
<td><strong>0.82</strong></td>
<td><strong>0.00558</strong></td>
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<tr>
<td><strong>Standard deviation</strong></td>
<td><strong>35.77</strong></td>
<td><strong>0.46</strong></td>
<td><strong>3.54</strong></td>
<td><strong>0.06</strong></td>
<td><strong>0.00070</strong></td>
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<tr>
<td><strong>Ocean</strong></td>
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<td></td>
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</tr>
<tr>
<td>BCC-CSM1-1</td>
<td>-57.61</td>
<td>1.75</td>
<td>-11.06</td>
<td>1.03</td>
<td>0.00676</td>
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<td>CanESM2</td>
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<td>1.05</td>
<td>-6.64</td>
<td>0.85</td>
<td>0.00830</td>
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<tr>
<td>CESM1-BGC</td>
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<td>0.25</td>
<td>-4.41</td>
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<td>0.00609</td>
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<td>-12.36</td>
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<tr>
<td>MPI-ESM-LR</td>
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<td>-11.24</td>
<td>0.99</td>
<td>0.00666</td>
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<td>NorESM-ME</td>
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<td>0.24</td>
<td>-9.53</td>
<td>1.0</td>
<td>0.00506</td>
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<tr>
<td>HadGEM2-ES</td>
<td>-21.78</td>
<td>1.43</td>
<td>-11.27</td>
<td>0.92</td>
<td>0.00836</td>
<td></td>
<td></td>
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</tr>
<tr>
<td><strong>Model mean</strong></td>
<td><strong>-37.01</strong></td>
<td><strong>1.15</strong></td>
<td><strong>-9.42</strong></td>
<td><strong>0.95</strong></td>
<td><strong>0.00690</strong></td>
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<tr>
<td><strong>Standard deviation</strong></td>
<td><strong>24.17</strong></td>
<td><strong>0.59</strong></td>
<td><strong>2.53</strong></td>
<td><strong>0.06</strong></td>
<td><strong>0.00110</strong></td>
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</table>
Table A2: Estimate of the change in the ocean carbon inventory (PgC) expected from a time integral of the global air-sea carbon flux into the ocean versus the volume integral of the change in the dissolved inorganic carbon, together with the small residual. The time integral of the air-sea carbon flux provides the dominant contribution to the change in the ocean carbon inventory, although there is a small mismatch due to the land to ocean carbon flux from river runoff and the ocean to land carbon flux from carbon burial in ocean sediments.

<table>
<thead>
<tr>
<th>Model</th>
<th>Time integral of the global air-sea carbon flux into the ocean (PgC)</th>
<th>Global ocean volume integral of ∆DIC (PgC)</th>
<th>Residual (PgC)</th>
</tr>
</thead>
<tbody>
<tr>
<td>ACCESS-ESM1.5</td>
<td>763</td>
<td>736</td>
<td>27</td>
</tr>
<tr>
<td>CanESM5</td>
<td>656</td>
<td>651</td>
<td>5</td>
</tr>
<tr>
<td>CNRM-ESM2-1</td>
<td>597</td>
<td>658</td>
<td>-61</td>
</tr>
<tr>
<td>MIROC-ES2L</td>
<td>625</td>
<td>632</td>
<td>-7</td>
</tr>
<tr>
<td>MPI-ESM1.2-LR</td>
<td>657</td>
<td>621</td>
<td>36</td>
</tr>
<tr>
<td>NOAA-GFDL-ESM4</td>
<td>720</td>
<td>759</td>
<td>-39</td>
</tr>
<tr>
<td>NorESM2-LM</td>
<td>671</td>
<td>628</td>
<td>43</td>
</tr>
<tr>
<td>UKESM1-0-LL</td>
<td>637</td>
<td>609</td>
<td>28</td>
</tr>
<tr>
<td>Model mean ((\bar{x}))</td>
<td>666</td>
<td>662</td>
<td></td>
</tr>
<tr>
<td>Standard deviation ((\sigma_x))</td>
<td>53</td>
<td>55</td>
<td></td>
</tr>
<tr>
<td>Coefficient of variation ((\sigma_x/</td>
<td>\bar{x}</td>
<td>))</td>
<td>0.08</td>
</tr>
</tbody>
</table>
Table A3: Carbon-cycle feedback parameters for the ocean, $\beta_O$ and $\gamma_O$, diagnosed from the air-sea carbon fluxes and separately diagnosed for the ocean carbon inventory and its separate ocean saturated, disequilibrium and regenerated DIC pools for the subset of eight CMIP6 models for which 3D ocean data were available; their sum does not exactly match the diagnostics from the air-sea fluxes due to land-ocean interactions involving storage in sediments and river inputs.

<table>
<thead>
<tr>
<th></th>
<th>Carbon-concentration feedback (PgC ppm$^{-1}$)</th>
<th>Carbon-climate feedback (PgC $^\circ$C$^{-1}$)</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>$\beta_O$</td>
<td>$\beta_{sat}$</td>
</tr>
<tr>
<td>ACCESS-ESM1.5</td>
<td>0.90</td>
<td>3.54</td>
</tr>
<tr>
<td>CanESM5</td>
<td>0.77</td>
<td>3.83</td>
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<tr>
<td>CNRM-ESM2-1</td>
<td>0.70</td>
<td>3.75</td>
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<tr>
<td>MIROC-ES2L</td>
<td>0.73</td>
<td>3.76</td>
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<tr>
<td>MPI-ESM1.2-LR</td>
<td>0.77</td>
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<tr>
<td>NorESM2-LM</td>
<td>0.78</td>
<td>3.67</td>
</tr>
<tr>
<td>UKESM1-0-LL</td>
<td>0.75</td>
<td>3.62</td>
</tr>
<tr>
<td>NOAA-GFDL-ESM4</td>
<td>0.84</td>
<td>3.77</td>
</tr>
<tr>
<td>Model mean ($\bar{x}$)</td>
<td>0.78</td>
<td>3.66</td>
</tr>
<tr>
<td>Standard deviation ($\sigma_x$)</td>
<td>0.06</td>
<td>0.16</td>
</tr>
<tr>
<td>Coefficient of variation ($\sigma_x/</td>
<td>\bar{x}</td>
<td>$)</td>
</tr>
</tbody>
</table>

Table A4: Transient Climate Response (TCE, $\Delta T_{2\times CO_2}$), diagnosed cumulative emissions at $2\times CO_2 (\tilde{E}_{2\times CO_2})$, and transient climate response to cumulative emissions (TCRE) for the eleven CMIP6 models considered in this study.

<table>
<thead>
<tr>
<th>CMIP6 model</th>
<th>TCR ($^\circ$C)</th>
<th>Cumulative diagnosed emissions (PgC)</th>
<th>TCRE ($^\circ$C EgC$^{-1}$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>ACCESS-ESM1.5</td>
<td>2.13</td>
<td>1064</td>
<td>2.00</td>
</tr>
<tr>
<td>BCC-CSM2-MR</td>
<td>1.68</td>
<td>1291</td>
<td>1.30</td>
</tr>
<tr>
<td>CanESM5</td>
<td>2.69</td>
<td>1214</td>
<td>2.21</td>
</tr>
<tr>
<td>CESM2</td>
<td>2.24</td>
<td>1073</td>
<td>2.08</td>
</tr>
<tr>
<td>CNRM-ESM2-1</td>
<td>1.84</td>
<td>1124</td>
<td>1.64</td>
</tr>
<tr>
<td>IPSL-CM6A-LR</td>
<td>1.28</td>
<td>1107</td>
<td>2.24</td>
</tr>
<tr>
<td>MIROC-ES2L</td>
<td>1.50</td>
<td>1135</td>
<td>1.92</td>
</tr>
<tr>
<td>MPI-ESM1.2-LR</td>
<td>1.80</td>
<td>1127</td>
<td>1.60</td>
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<tr>
<td>NOAA-GFDL-ESM4</td>
<td>1.54</td>
<td>1066</td>
<td>1.44</td>
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<tr>
<td>NorESM2-LM</td>
<td>1.44</td>
<td>1075</td>
<td>1.34</td>
</tr>
<tr>
<td>UKESM1-0-LL</td>
<td>2.51</td>
<td>1054</td>
<td>2.38</td>
</tr>
<tr>
<td>Mean</td>
<td>1.99</td>
<td>1121</td>
<td>1.78</td>
</tr>
<tr>
<td>Standard deviation</td>
<td>0.42</td>
<td>70</td>
<td>0.39</td>
</tr>
</tbody>
</table>
A5. Model descriptions

A5.1. Commonwealth Scientific and Industrial Research Organisation (CSIRO) ACCESS-ESM1.5

The Australian Community Climate and Earth System Simulator ACCESS -ESM1.5 (Ziehn et al., 2017; Ziehn et al., 2019, The Australian Earth System Model: ACCESS-ESM1.5, in prep) is comprised of a number of component models. The atmospheric model is the UK Met Office Unified Model at version 7.3 (Martin et al., 2010, 2011) with their land surface model replaced with the Community Atmosphere Biosphere Land Exchange (CABLE) model (Kowalczyk et al., 2013). The ocean component is the NOAA/GFDL Modular Ocean Model (MOM) at version 5 (Griffies, 2014) with the same configuration as the ocean model component of ACCESS1.0 and ACCESS1.3 (Bi et al., 2013). Sea ice is simulated using the LANL CICE4.1 model (Hunke and Lipscomb, 2010). Coupling of the ocean and sea-ice to the atmosphere is through the OASIS-MCT coupler(Valcke, 2013). The physical climate model configuration used here is very similar to the version (ACCESS1.3) that contributed to the Coupled Model Intercomparison Project Phase 5 (CMIP5) (Bi et al., 2013). The carbon cycle is included in ACCESS through the CABLE land surface model and its biogeochemistry module, CASA-CNP (Wang et al., 2010), and through the World Ocean Model of Biogeochemistry and Trophic-dynamics (WOMBAT) (Oke et al., 2013).

The WOMBAT model is based on a NPZD (nutrient-phosphate, phytoplankton, zooplankton and detritus) model with the additions of bio-available iron limitation, dissolved inorganic carbon, calcium carbonate, alkalinity and oxygen. Productivity drives uptake and formation of carbon and oxygen which exchange with the atmosphere. Sinking and remineralization of detritus
carries biogeochemical tracers to the deep ocean. Iron is supplied by dust deposition, continental shelves and background ocean values.

The Australian community model CABLE simulates the fluxes of momentum, heat, water and carbon at the surface. The biogeochemistry module CASA-CNP simulates the flow of carbon and nutrients such as nitrogen and phosphorus between three plant biomass pools (leaf, wood, root), three litter pools (metabolic, structural, coarse woody debris) and three organic soil pools (microbial, slow, passive) plus one inorganic soil mineral nitrogen pool and three phosphorus soil pools.

In the CABLE configuration applied here we use 10 vegetated types and 3 non-vegetated types. CABLE calculates gross primary production (GPP) and leaf respiration at every time step using a two-leaf canopy scheme (Wang and Leuning, 1998) as a function of the leaf area index (LAI). This set-up uses a simulated (prognostic) LAI based on the size of the leaf carbon pool and the specific leaf area. Daily mean GPP and leaf respiration values are then passed onto CASA-CNP to calculate daily respiration fluxes and the flow of carbon and nutrients between the pools. Similar to the previous version, ACCESS-ESM1 (Law et al., 2017; Ziehn et al., 2017), the model is run with nitrogen and phosphorus limitation enabled.
A5.2. Beijing Climate Center (BCC) Climate System Model version 2 with Medium Resolution (BCC-CSM2-MR)

BCC-CSM2-MR (Wu et al., 2019) is the second generation of the BCC model with medium resolution that was released to run CMIP6 simulations. It is a fully-coupled global climate model and updated from its previous version of BCC-CSM1.1 used for CMIP5 (Wu et al., 2013). The atmospheric component of BCC-CSM2-MR is the BCC Atmospheric General Circulation Model version 3 (BCC-AGCM3-MR, Wu et al., 2019). The land component is the BCC Atmosphere and Vegetation Interaction Model version 2.0 (BCC-AVIM2, Li et al., 2019) with terrestrial carbon cycle. The oceanic component is the Modular Ocean Model version 4 with 40 levels (hereafter MOM4-L40). The sea ice component is Sea Ice Simulator (SIS). These components are physically coupled through fluxes of momentum, energy, water, and carbon at their interfaces. The coupling was realized with the flux coupler version 5 developed by the National Center for Atmosphere Research (NCAR).

The atmospheric component of BCC-CSM2-MR has a horizontal resolution of T106 approximately 1.125° and 46 vertical levels in a hybrid sigma/pressure vertical coordinate system with the top level at 1.459 hPa. The ocean component resolution of BCC-CSM2-MR is 1° longitude by 1/3° latitude between 30°S and 30°N ranged to 1° latitude at 60°S and 60°N and nominally 1° polarward with tripolar coordinates, and there are 40 z-levels in the vertical.
The atmospheric component model BCC-AGCM3-MR in BCC-CSM2-MR is developed from its previous CMIP5 version (Wu et al., 2008). The main updates include a modification of deep convection parameterization, a new scheme for cloud fraction, indirect effects of aerosols through clouds and precipitation, and the gravity wave drag generated by deep convection (Wu et al., 2019). Atmospheric CO$_2$ concentration in BCC-AGCM3-MR for this work is a prognostic variable and calculated through a budget equation which considered advective transport in the atmosphere, anthropogenic CO$_2$ emissions, and interactive CO$_2$ fluxes at the interfaces with land and ocean. But chemical processes are not taken into account. The terrestrial carbon cycle in BCC-AVIM2 (Li et al., 2019) operates through a series of biochemical and physiological processes on photosynthesis and respiration of vegetation, and takes into account carbon loss due to turnover and mortality of vegetation, and CO$_2$ release into atmosphere through soil respiration. The vegetation litter to the ground surface and into the soil is divided into eight terrestrial carbon pools (surface structural, surface metabolic, surface microbial, soil structural, soil metabolic, soil microbial, slow, and passive carbon pools) according to the timescale of the decomposition of carbon in each pool and transfers between different pools. Allocation to and from the three vegetation biomass pools (leaf, stem, root) leads to dynamic vegetation that in turn produces litter fall and ultimate transfer to soil organic carbon. The allocation of carbon to the three vegetation biomass pools is dependent on light availability, water stress and phenology stages of the canopy and follows the formulations of Arora and Boer (2005).

The biogeochemistry module to simulate the ocean carbon cycle in MOM4_L40 is based on the protocols from the Ocean Carbon Cycle Model Intercomparison Project–Phase 2 (OCMIP2,
http://www.ipsl.jussieu.fr/OCMIP/phase2/). The OCMIP biogeochemistry module parameterizes the process of marine biology in terms of geochemical fluxes without explicit representation of the marine ecosystem and food web processes, and includes five prognostic variables: phosphate, dissolved organic phosphorus, dissolved oxygen, dissolved inorganic carbon, and alkalinity. Ocean carbon cycle processes in BCC-CSM2-MR follow OCMIP, except for parameterizing the export of organic matter from surface waters to deep oceans (Wu et al., 2013).

A5.3. Canadian Centre for Climate Modelling and Analysis (CCCma) fifth generation Earth System Model, CanESM5

CanESM5 has evolved from its predecessor CanESM2 (Arora et al., 2011) that was used in the Coupled Model Intercomparison Project phase 5 (CMIP5). CanESM5 represents a major update to CanESM2 and described in detail in Swart et al. (2019). The major changes relative to CanESM2 are the implementation of completely new models for the ocean, sea-ice, marine ecosystems, and a new coupler. The resolution of CanESM5 (T63 or ~2.8° in the atmosphere and ~1° in the ocean) remains similar to CanESM2, and is at the lower end of the spectrum of CMIP6 models.

The atmospheric component of CanESM5 is represented by version 5 of the Canadian Atmospheric Model (CanAM5) has several improvements relative to its predecessor, CanAM4 (von Salzen et al., 2013) including changes to aerosol, clouds, radiation, land surface and lake processes. CanAM5 uses a triangular spectral truncation in the model dynamical core, with an approximate horizontal resolution of 2.8 degrees in latitude/longitude. It uses a hybrid vertical
The land surface in CanESM5 is modelled using the Canadian Land Surface Scheme (CLASS; Verseghy, 2000) and the Canadian Terrestrial Ecosystem Model (CTEM; Arora and Boer, 2005, 2010) which together form the land component of CanESM5. CLASS-CTEM simulate the physical and biogeochemical land surface processes, respectively, and together they calculate fluxes of energy, water, CO₂ and wetland CH₄ emissions at the land-atmosphere boundary. Over land, three permeable soil layers are used with default thicknesses of 0.1, 0.25, and 3.75 m for which liquid and frozen soil moistures and temperature are prognostically calculated. The depth to bedrock is specified on the basis of the global data set which reduces thicknesses of the permeable soil layers where soil depth is less than 4.1 meters. Snow is represented using one layer whose snow water equivalent and temperature are modelled prognostically. The introduction of dynamic wetlands and their methane emissions is a new biogeochemical process added since the CanESM2 (Arora et al., 2018). Nitrogen cycle over land is not represented but the effect of photosynthesis down-regulation as CO₂ increases is represented. The magnitude of the parameter representing this down-regulation is increased in CanESM5, compared to CanESM2, following Arora and Scinocca (2016) who found best value of this parameter that reproduced various aspects of the historical carbon budget for CanESM4.2 (a model version more similar to CanESM2 than CanESM5). Other than wetlands, and the changes to the strength of the
CO₂ fertilization effect, the remaining terrestrial ecosystem processes are represented the same as in CanESM2.

The physical ocean component of CanESM5 is based on NEMO version 3.4.1. It is configured on the tripolar ORCA1 C-grid with 45 z-coordinate vertical levels, varying in thickness from ~6 m near the surface to ~250 m in the abyssal ocean. The horizontal resolution is based on a 1° Mercator grid, varying with the cosine of latitude, with a refinement of the meridional grid spacing to 1/3° near the equator. Two modifications have been introduced to the NEMO’s mesoscale and small-scale mixing physics in CanESM5 and these are detailed in Swart et al. (2019). Sea ice is represented using the LIM2 sea ice model (Bouillon et al., 2009; Fichefet and Morales Maqueda, 1997), which is run within the NEMO framework.

Ocean carbon cycle is represented using the Canadian Model of Ocean Carbon (CMOC) which was developed for earlier versions of CanESM (Arora et al., 2011; Christian et al., 2010), and includes carbon chemistry and biology. The biological component is a simple Nutrient-Phytoplankton-Zooplankton-Detritus (NPZD) model, with fixed Redfield stoichiometry, and simple parameterizations of iron limitation, nitrogen fixation, and export flux of calcium carbonate.

A5.4. Community Earth System Model, version 2 (CESM2)
The CESM2 (Danabasoglu et al., 2019: The Community Earth System Model version 2 - CESM2, in preparation) contains substantial improvements since CESM1. The resolution remains the same as in CESM1 (0.9° latitude x 1.25° longitude for the atmosphere and land with 32 vertical atmospheric levels and 25 ground levels and ~1° for the ocean). The Community Atmosphere Model version 6 (Neale, R. B. et al., 2019: The NCAR Community Atmosphere Model version 6 (CAM6): Scientific configuration and simulation fidelity, in preparation) includes many changes to the representation of physical processes with the primary change being the inclusion of the Cloud Layers Unified By Binormals (CLUBB) unified turbulence scheme.

The CESM2 ocean component (POP2) is largely the same as that used in CESM1 except with a new parameterization for mixing effects in estuaries along with several other numerical and physics improvements. The sea ice model is CICE version 5.1.2 (CICE5; (Hunke et al., 2015). Ocean biogeochemistry is represented by the Marine Biogeochemistry Library (MARBL). MARBL represents multiple nutrient co-limitation (N, P, Si, and Fe). It includes three explicit phytoplankton functional groups (diatoms, diazotrophs, and pico/nano phytoplankton), one implicit phytoplankton group (calcifiers) and one zooplankton group. MARBL includes prognostic carbonate chemistry and simulates sinking particulate organic matter. Major updates relative to CESM1 include a representation of subgrid-scale variations in light and variable C:P stoichiometry. Atmospheric deposition of iron is computed prognostically in CESM2 as a function of dust and black carbon deposition simulated by CAM6. Riverine nutrient, carbon, and alkalinity fluxes are supplied to the ocean from a dataset.
The land component is the Community Land Model version 5 (CLM5, Lawrence et al., 2018) which simulates land water, energy, momentum, carbon and nitrogen cycling. CLM5 includes an extensive suite of new and updated processes and parameterizations that collectively improve the model’s hydrological, biogeochemical and ecological realism and enhance the representation of anthropogenic land use activities on climate and the carbon cycle. The primary updates are as follows with details, references, and additional updates described and listed in (Lawrence et al., 2018): (1) updated parameterizations and structure for hydrology and snow (spatially explicit soil depth, dry surface layer, revised groundwater scheme, revised canopy interception and canopy snow processes, updated fresh snow density, and inclusion of the Model for Scale Adaptive River Transport); (2) a plant hydraulics scheme to more mechanistically represent plant water use and limitation; (3) vertically-resolved soil biogeochemistry with base organic matter decomposition rates varying with depth and modified by soil temperature, water, and oxygen limitation and nitrification and denitrification updated as in Century model; (4) a methane production, oxidation, and emissions model; (5) improved representation of plant N dynamics to address deficiencies in CLM4 through introduction of flexible plant carbon : nitrogen (C:N) stoichiometry which avoids the problematic CLM4 separation of potential and actual plant productivity, explicitly simulating photosynthetic capacity response to environmental conditions through the Leaf Utilization of Nitrogen for Assimilation (LUNA) module, and accounting for how N availability affects plant productivity through the Fixation and Uptake of Nitrogen (FUN) module which determines the C costs of N acquisition; methane emissions and oxidation from natural land processes; (6) a global active crop model with six crop types and time-evolving irrigated areas.
and industrial fertilization rates; (7) updated canopy processes including a revised canopy radiation scheme and canopy scaling of leaf processes, co-limitations on photosynthesis and updated stomatal conductance; (8) a new fire model that includes representation of natural and anthropogenic ignition sources and suppression along with agricultural, deforestation, and peat fires; and (9) inclusion of carbon isotopes.

A5.5. Centre National de Recherches Météorologiques (CNRM) CNRM-ESM2-1

CNRM-ESM2-1 is the second generation Earth System model developed by CNRM-CERFACS for CMIP6 (Séférian et al., 2019).

The atmosphere component of CNRM-ESM2-1 is based on version 6.3 of the global spectral model ARPEGE-Climat (ARPEGE-Climat_v6.3). ARPEGE-Climat resolves atmospheric dynamics and thermodynamics on a T127 triangular grid truncation that offers a spatial resolution of about 150 km in both longitude and latitude. CNRM-ESM2-1 employs a “high-top” configuration with 91 vertical levels that extend from the surface to 0.01 hPa in the mesosphere; 15 hybrid σ-pressure levels are available below 1500 m.

The surface state variables and fluxes at the surface-atmosphere interface are simulated by the SURFEX modeling platform version 8.0 over the same grid and with the same time-step as the atmosphere model. SURFEXv8.0 encompasses several submodules for modeling the interactions...
between the atmosphere, the ocean, the lakes and the land surface. Over the land surface, CNRM-ESM2-1 uses the ISBA-CTRIP land surface modeling system (http://www.umr-cnrm.fr/spip.php?article1092&lang=en) to solve energy, carbon and water budgets at the land surface (Decharme et al., 2019; Delire et al., 2019). Its physical core explicitly solves the one-dimensional Fourier and Darcy laws throughout the soil, accounting for the hydraulic and thermal properties of soil organic carbon. It uses a 12-layer snow model of intermediate complexity that allows separate water and energy budgets for the soil and the snowpack. It accounts for a dynamic river flooding scheme in which floodplains interact with the soil and the atmosphere through free-water evaporation, infiltration and precipitation interception and a two-dimensional diffusive groundwater scheme to represent unconfined aquifers and upward capillarity fluxes into the superficial soil. More details on these physical aspects can be found in Decharme et al. (2019).

To simulate the land carbon cycle and vegetation-climate interactions, ISBA-CTRIP simulates plant physiology, carbon allocation and turnover, and carbon cycling through litter and soil. It includes a module for wild fires, land use and land cover changes, and carbon leaching through the soil and transport of dissolved organic carbon to the ocean. Leaf photosynthesis is represented by the semi-empirical model proposed by Goudriaan et al. (1985). Canopy level assimilation is calculated using a 10-layer radiative transfer scheme including direct and diffuse radiation. Vegetation in ISBA is represented by 4 carbon pools for grasses and crops (leaves, stem, roots and a non-structural carbohydrate storage pool) with 2 additional pools for trees (aboveground wood and coarse roots). Leaf phenology results directly from the carbon balance...
of the leaves. The model distinguishes 16 vegetation types (10 tree and shrub types, 3 grass types and 3 crop types) alongside desert, rocks and permanent snow. In the absence of nitrogen cycling within the vegetation, an implicit nitrogen limitation scheme that reduces specific leaf area with increasing CO₂ concentration was implemented in ISBA following the meta-analysis of Yin (2002).

Additionally, there is an ad-hoc representation of photosynthesis down-regulation. The litter and soil organic matter module is based on the soil carbon part of the CENTURY model (Parton et al., 1988). The 4 litter and 3 soil carbon pools are defined based on their location above- or below-ground and potential decomposition rates. The litter pools are supplied by the flux of dead biomass from each biomass reservoir (turnover). Decomposition of litter and soil carbon releases CO₂ (heterotrophic respiration). During the decomposition process, some carbon is dissolved by water slowly percolating through the soil column. This dissolved organic carbon is transported by the rivers to the ocean. A detailed description of the terrestrial carbon cycle can be found in Delire et al. (2019).

The ocean component of CNRM-ESM2-1 is the Nucleus for European Models of the Ocean (NEMO) version 3.6 (Madec et al., 2017) which is coupled to both the Global Experimental Leads and ice for ATmosphere and Ocean (GELATO) sea-ice model (Salas Mélia, 2002) version 6 and also the marine biogeochemical model Pelagic Interaction Scheme for Carbon and Ecosystem Studies version 2-gas (PISCESv2-gas). NEMOv3.6 operates on the eORCA1L75 grid (Mathiot et al., 2017) which offers a nominal resolution of 1° to which a latitudinal grid refinement of 1/3° is added in the tropics; this grid describes 75 ocean vertical layers using a vertical z*-coordinate with partial step bathymetry formulation (Bernard et al., 2006).
The atmospheric chemistry scheme of CNRM-ESM2-1 is Reactive Processes Ruling the Ozone Budget in the Stratosphere version 2 (REPROBUS-C_v2). This scheme resolves the spatial distribution of 63 chemistry species but does not represent the low troposphere ozone non-methane hydrocarbon chemistry. CNRM-ESM2-1 also includes an interactive tropospheric aerosol scheme included in the atmospheric component ARPEGE-Climat. This aerosol scheme, named Tropospheric Aerosols for ClimaTe In CNRM (TACTIC_v2), represents the main anthropogenic and natural aerosol species of the troposphere.

The ocean biogeochemical component of CNRM-ESM2-1 uses the Pelagic Interaction Scheme for Carbon and Ecosystem Studies model version 2 trace gases (PISCESv2-gas), which derives from PISCESv2 as described in Aumont et al. (2015). PISCESv2-gas simulates the distribution of five nutrients (from macronutrients: nitrate, ammonium, phosphate, and silicate to micronutrient: iron) which regulate the growth of two explicit phytoplankton classes (nanophytoplankton and diatoms). Dissolved inorganic carbon (DIC) and alkalinity (Alk) are involved in the computation of the carbonate chemistry, which is resolved by “Model the Ocean Carbonate SYstem” version 2 (MOCSY 2.0, Orr & Epitalon, 2015) in PISCESv2-gas. MOCSY 2.0 enables a better and faster resolution of the ocean carbonate chemistry at thermodynamic equilibria. Oxygen is prognostically simulated using two different oxygen-to-carbon ratios, one when ammonium is converted to or mineralized from organic matter, the other when oxygen is consumed during nitrification. Their values have been set respectively to 131/122 and 32/122.
At ocean surface, PISCESv2-gas exchanges carbon, oxygen, dimethylsulphide (DMS) and nitrous oxide (N$_2$O) tracers with the atmosphere using the revised air-sea exchange bulk as published by Wanninkhof (2014). PISCESv2-gas uses several boundary conditions which represent the supply of nutrients from five different sources: atmospheric deposition, rivers, sediment mobilization, sea-ice and hydrothermal vents.

A5.6. Institut Pierre Simon Laplace (IPSL) IPSL-CM6A-LR

IPSL-CM6A-LR is the coupled climate model of the Institut Pierre Simon Laplace (Servonnat et al., 2019, in preparation). It results from the integration of the following components: the LMDZ atmospheric general circulation model (version 6A-LR, Hourdin et al., 2019), the NEMO oceanic model (version 3.6, Aumont et al., 2015; Madec et al., 2017; Rousset et al., 2015; Vancoppenolle et al., 2009) and the ORCHIDEE land surface model (version 2.0, Peylin et al., 2019, in preparation).

The atmospheric general circulation model LMDZ6A-LR builds onto its previous version that has notably incorporated advances in the parameterization of turbulence, convection, and clouds. More specifically, LMDZ6A-LR includes a turbulent scheme based on the prognostic equation for the turbulent kinetic energy that follows Yamada (1983), a mass flux representation of the organized structures of the convective boundary layer called "Thermal Plume Model" (Hourdin...
et al., 2002; Rio et al., 2010; Rio and Hourdin, 2008), and a parameterization of the cold pools or wakes created below cumulonimbus by the evaporation of convective rainfall (Grandpeix et al., 2010; Grandpeix and Lafore, 2010). It is based on a regular horizontal grid with 144 grid points regularly spaced in longitude and 142 in latitude, corresponding to a resolution of 2.5° × 1.3°, and 79 vertical layers.

IPSL-CM6A-LR further includes NEMO (Nucleus for European Models of the Ocean), which is itself composed of three major building blocks: the ocean physics NEMO-OPA (Madec et al., 2017), the sea-ice dynamics and thermodynamics NEMO-LIM3 (Rousset et al., 2015; Vancoppenolle et al., 2009), and the ocean biogeochemistry NEMO-PISCES (Aumont et al., 2015). The grid used has a nominal resolution of 1° in the zonal and meridional directions with a latitudinal grid refinement of 1/3° in the Tropics. Vertical discretization uses a partial step formulation (Bernard et al., 2006), which ensures a better representation of bottom bathymetry, with 75 levels. The initial layer thicknesses increase non-uniformly from 1 m at the surface to 10 m at 100 m depth, and reaches 200 m at the bottom, and are subsequently time-dependent. NEMO-PISCES (Aumont et al., 2015) models the lower trophic levels of marine ecosystem (phytoplankton, microzooplankton and mesozooplankton) and the biogeochemical cycles of carbon and of the main nutrients (P, N, Fe, and Si). This model is also able to compute air-sea carbon fluxes.

Finally, IPSL-CM6A-LR includes ORCHIDEE, a global process-based terrestrial biosphere model Krinner et al. (2005); Peylin et al., 2019, in preparation) that calculates carbon, water and energy...
fluxes between the land surface and the atmosphere. Photosynthesis and all components of the
surface energy and water budgets are calculated at a half-hourly resolution while the dynamics
of the carbon storage (including carbon allocation in plant reservoirs, soil carbon dynamics, and
litter decomposition) are resolved on a daily basis. Photosynthesis depends on light availability
and CO₂ concentration, soil moisture and temperature and is parameterized based on Farquhar
et al. (1980) and Collatz et al. (1992) for C₃ and C₄ plants, respectively. This latest version of
ORCHIDEE includes a downregulation capability that models a reduction of the terrestrial
photosynthesis rates as a function of CO₂ concentration. In ORCHIDEE, the spatial distribution of
vegetation is represented using 15 plant functional types (PFTs) (Cramer, 1997; Prentice et al.,
1992; Wullschleger et al., 2014). More precisely these PFTs are decomposed into 3 groups
according to their physiological behavior under similar climate conditions: tall vegetation
(forests) is represented by 8 PFTs, short vegetation (grasses and crops) is represented by 6 PFTs,
and bare soil. The fractional coverage of these PFTs vary geographically. A soil type is associated
with each one of these 3 PFT groups. This 3-group partitioning allows for dividing each grid box
into 3 tiles for which an independent hydrological budget is calculated, using the 11-layer
physically based hydrology scheme. In ORCHIDEE the wood harvest product from the LUHv2h
database is used in addition to the annual land cover maps.

A5.7. Team MIROC (Japan Agency for Marine-Earth Science and Technology / the University of
Tokyo / the National Institute for Environmental Studies) MIROC-ES2L
MIROC-ES2L (Hajima et al., 2019a) is based on the global climate model MIROC5.2 (Tatebe et al., 2018), which is a minor updated version of MIROC5 used for CMIP5 (Watanabe et al., 2010). The physical core shares almost same structure and characteristics with the latest model MIROC6 (Tatebe et al., 2019), except for the atmospheric spatial resolution and treatment of cumulus clouds. This model interactively couples an atmospheric general circulation model (CCSR-NIES AGCM, Tatebe et al., 2019) including an on-line aerosol component (SPRINTARS, Takemura et al., 2000), an ocean GCM with sea-ice component (COCO, Hasumi, 2015), and a land physical surface model (MATSIRO, Takata et al., 2003). The land and ocean biogeochemical components are represented by VISIT (Ito and Inatomi, 2012) and OECO2 (Hajima et al., 2019a), respectively, which are interactively coupled to the atmospheric component. There exists another branched version that has atmospheric chemistry component with finer atmospheric grid (MIROC-ES2H), but not used in this study.

The atmospheric grid resolution is approximately 2.81° with 40 vertical levels between the surface and about 3 hPa. For the ocean, the model employs tripolar coordinate system with 62 vertical levels. To the south of 63°N, the ocean model has longitudinal grid spacing of about 1°, while the meridional grid spacing varies from about 0.5° near the equator to 1° in the mid-latitudes. Over the Arctic ocean the grid resolution is even finer following the tripolar coordinate system. The physical terrestrial component resolves vertical soil profile with 6 layers down to 14 m depth, with two types of land-use tiles (agriculture and non-agriculture). Terrestrial biogeochemical component considers two layered soil organic matter (the upper litter layer and...
the lower humus layer), with 5 types of land-use tiles (primary vegetation, secondary vegetation, urban, crop, and pasture).

The terrestrial biogeochemical component covers major processes relevant to global carbon cycle, with vegetation (leaf, stem, and root), litter (leaf, stem, and root), and humus (active, intermediate, and passive) pools and with a static biome distribution. Details on carbon cycle processes in the model can be found in (Ito and Oikawa, 2002). N cycle is simulated with N pools of vegetation (canopy and structural), organic soil (litter, humus, and microbe), and inorganic nitrogen (ammonium and nitrate). The model considers two major nitrogen influxes into ecosystem (biological nitrogen fixation and external nitrogen inputs). Fluxes out of land ecosystem in the model are N2/N2O emissions, leaching, NH3 emission, and other emission like volatilization from land-use product pools. For installing into MIROC-ES2L, the terrestrial ecosystem processes were modified such that photosynthetic capacity is controlled by leaf N concentration. Processes associated with land-use change are also modified to take full advantage of CMIP6 LUC forcing dataset. Further details can be found in (Hajima et al., 2019a).

The new ocean biogeochemical component model, OECO2, is a NPZD-type model and modified from the previous model (Watanabe et al., 2011). The biogeochemical compartments of OECO2 are nitrate, phosphate, dissolved iron, dissolved oxygen, two types of phytoplankton (non-diazotroph and diazotroph), zooplankton, and particulate detritus. There exist other compartments of dissolved inorganic carbon (DIC), total alkalinity, calcium, calcium carbonate,
and N$_2$O. All organic materials have identical elemental stoichiometric ratio. The model considers external nutrient inputs (atmospheric N/Fe deposition, inorganic N/P from rivers, biological N fixation, Fe input from ocean bottom/shelf) and nutrient loss (denitrification for N and loss into sediment for N, P, and Fe). The emission, transportation and deposition processes of iron are explicitly simulated by the atmospheric aerosol component.

A5.8. Max Planck Institute for Meteorology (MPI) MPI-ESM1.2-LR

The MPI-ESM1.2-LR model (Mauritsen et al., 2019) consists of ocean, atmosphere, land and sea-ice components which are connected via a coupler analogous to the predecessor MPI-ESM versions (Giorgetta et al., 2013). The atmosphere model, ECHAM6.3, at the LR resolution has a spectral truncation at T63 or approximately 200-km grid spacing with 47 vertical levels. It is directly coupled to the land model, JSBACH3.2, through surface exchange of mass, momentum, and heat. The ocean general circulation model, MPIOM1.6 in MPI-ESM1.2-LR runs on a bi-polar grid GR1.5 and has 40 unevenly placed levels. It computes transport of tracers of the ocean biogeochemistry model HAMOCC6 (Ilyina et al., 2013; Paulsen et al., 2017). The MPI-ESM-LR configuration computes 45–85 model years per physical day enabling new simulations which were not feasible previously, such as for instance, large ensemble simulations (Maher et al., 2019) or millennial-scale simulations with interactive carbon cycle (Brovkin et al., 2019).

Terrestrial vegetation in JSBACH includes vegetation dynamics which interacts with land use changes (Reick et al., 2013), accounting for the latest changes in the land use harmonization
dataset by Hurtt et al. (2006). The new SPITFIRE model simulates burned area and carbon emissions to atmosphere due to wildfires and anthropogenic fires (Lasslop et al., 2014), replacing old global fire parameterization used in the CMIP5 model. Soil carbon model YASSO simulates dynamics of 4 fast soil carbon pools which are different for leaf and woody litter types, plus a slow humus pool (Goll et al., 2015). Nitrogen and carbon pools are coupled based on CO2-induced nitrogen limitation (Goll et al., 2017).

The ocean biogeochemistry model HAMOCC6 has been extended as compared to the previous version described in Ilyina et al. (2013) to explicitly resolve nitrogen-fixing cyanobacteria as an additional prognostic phytoplankton class (Paulsen et al., 2017). This allows to capture the response of N2 fixation and ocean biogeochemistry to changing climate conditions. Additionally, updates of existing processes have been performed. This includes for instance the addition of a vertically varying settling rate for detritus following the formulation by Martin et al. (1987). Finally some empirical relationships in the parameterized processes have been updated to follow recommendations of the C4MIP and OMIP protocols (Jones et al., 2016; Orr et al., 2017). The full overview of changes in HAMOCC is given in Mauritsen et al. (2019).
GFDL-ESM4.1 is a comprehensive, fully-coupled Earth System Model developed by NOAA’s Geophysical Dynamics Laboratory with a fully-interactive carbon cycle and interactive atmospheric chemistry (Dunne et al., 2019, in prep., The GFDL Earth System Model version 4.1 (GFDL-ESM4.1): Model description and simulation characteristics) that builds on previous generation modeling efforts of the carbon cycle (ESM2-series) (Dunne et al., 2012, 2013) and atmospheric chemistry (CM3) (Donner et al., 2011) along with increased resolution and improved numerics and physics akin to GFDL’s 4th generation coupled climate model (CM4.0; Held et al., 2019, in preparation), and representation of additional Earth System Processes.

The atmospheric component, GFDL AM4.1, is based on the third generation finite volume cube-sphere dynamical core (FV3) (Lin, 2004) with a 1° horizontal resolution and 49 vertical levels. The model top is located at ~0.1 hPa to resolve the stratosphere. AM4.1 shares the critical developments in model physics with the AM4.0 model (Zhao et al., 2018) including radiation, convection, and clouds. AM4.1 differs from the AM4.0 model in its enhanced vertical resolution and its more explicit representation of atmospheric chemistry that motivated a separate radiative and gravity wave tuning.

AM4.1 includes interactive tropospheric and stratospheric gas-phase and aerosol chemistry represented through 56 prognostic (transported) tracers and 36 diagnostic (non-transported) chemical tracers. The tropospheric chemistry includes reactions for the oxidation of methane among other volatile organic compounds. The stratospheric chemistry accounts for the major
ozone loss cycles and heterogeneous reactions on liquid and solid stratospheric aerosols. Details on the base chemical mechanism including improvements relative to the previous generation model (AM3) are included in Horowitz et al. (2019, in prep).

Land hydrology and ecosystem dynamics are represented by the GFDL Land Model version 4.1 (LM4p1; Shevliakova et al., 2019, in prep) and builds on the previous generation LM3.1 model (Milly et al., 2014). Soil carbon dynamics and biogeochemistry represented through the CORPSE model (Sulman et al., 2019) with an explicit treatment of soil microbes. LM4.1 also includes a new fire model FINAL (Rabin et al., 2018). Vegetation dynamics represented by the second generation age-height structured approach the Perfect Plasticity Approximation (PPA) (Weng et al., 2015, Martinez Cano et al., 2019, in prep). There are 6 carbon pools in LM4.1 representing leaves, fine roots, heartwood, sapwood, seeds, and non-structural carbon (i.e. sugars). Litter is broken into leaf and coarse wood categories as well into fast and slow timescale partitions. Soil has 20 vertical levels each with its own prognostic state for energy, water and soil carbon variables. There are 5 types of vegetation forms in LM4.1 representing C3 grass, C4 grass, tropical trees, temperate deciduous trees, cold evergreen trees. A combination of these vegetation types could coexist in some location. The model also includes a new treatment of stomatal conductance and plant hydraulics. The vegetation state is used to drive a dust emission model that is coupled with the atmosphere for transport (Ginoux et al., 2019, in prep.). ESM4 implementation of LM4.1 does not include an interactive nitrogen cycle.
The ocean biogeochemical component of ESM4 is version 2 of the Carbon, Ocean Biogeochemistry and Lower Trophics (COBALTv2) model (Stock et al., 2014b). COBALTv2 uses 33 tracers to represent carbon, alkalinity, oxygen, nitrogen, phosphorus, iron, silica, calcite and lithogenic mineral cycling within the ocean. Relative to previous generation ocean biogeochemistry models developed at GFDL, COBALTv2 includes an enhanced representation of plankton food web dynamics to resolve the flow of energy from phytoplankton to fish (Stock et al., 2014a) and enhance the model’s capacity to resolve linkages between food webs and biogeochemical cycles. COBALTv2 explicitly includes small, large (split into diatoms and non-diatoms), and diazotrophic phytoplankton groups, three zooplankton groups, bacteria and three labilities of dissolved organic matter. Other updates include a temperature-dependence to sinking organic matter remineralization (Laufkötter et al., 2017), the addition of semi-labile dissolved organic material, carbonate chemistry calculations based on the open source Model of the Ocean Carbonate SYstem version 2.0 (Orr and Epitalon, 2015).

Data from the NOAA-GFDL-ESM4 model used in the analysis presented in this paper are accessible via the Earth System Grid Federation (ESGF) for 1pctCO2 (Krasting et al., 2019b) simulation and for its radiatively- and biogeochemically-coupled configurations (Krasting et al., 2019a).

A5.10. Norwegian Climate Centre (NCC) NorESM2-LM
The NorESM2-LM is based on the latest release of the Community Earth System Model (CESM2.1), whose development is supported by the National Center for Atmospheric Research at the United States. NorESM2 keeps the original land and sea-ice components of CESM2.1 (i.e., CLM5, and CICE5, respectively). The atmospheric component is CAM6 (as in CESM), but with modifications regarding the energy and angular momentum conservation. Further, the atmospheric chemistry module of CAM6 has been replaced by the scheme developed by the Norwegian Meteorological Institute. The ocean physical and biogeochemical components of NorESM2 are the isopycnal ocean circulation and carbon cycle components updated from NorESM1 version (Schwinger et al., 2016; Tjiputra et al., 2013).

The CLM5 (Community Land Model version 5) prognostically simulates the carbon and nitrogen cycles, which include natural vegetation, crops, and soil biogeochemistry. The carbon and nitrogen budgets comprise leaf, live stem, dead stem, live coarse root, dead coarse root, fine-root, and grain pools. Each of these pools has short-term and long-term storage of non-structural carbohydrates and labile nitrogen. In addition to the vegetation pools, CLM includes a series of decomposing carbon and nitrogen pools as vegetation successively breaks down to coarse woody debris, and/or litter, and subsequently to soil organic matter. Details on the CLM5 models are available in Lawrence et al. (2018).

Similar to the earlier version, the ocean carbon cycle component in NorESM2 is based on the Hamburg Oceanic Carbon Cycle (HAMOCC; Maier-Reimer et al., 2005) model, which has been
The current version includes new processes, refined parameterizations, as well as new diagnostic tracers. The ecosystem model is based on an NPZD-type model with multi nutrient limitation in its phytoplankton growth formulation. Riverine fluxes of inorganic and organic carbon as well as nutrients are now implemented. Unlike the earlier version, the sea-to-air dimethyl sulfate (DMS) fluxes alter the atmospheric radiative forcing and hence the climate carbon cycle feedback. More details on the ocean carbon cycle of NorESM2 are available in Tjiputra et al. (2019, in preparation).

A5.11. The United Kingdom Community Earth System Model, UKESM1-0-LL

UKESM1-0-LL (Sellar et al., 2019) is based upon the HadGEM3-GC3.1 (Williams et al., 2018) global climate model which includes coupled ocean, atmosphere, land and sea-ice components. The atmosphere component is the Unified Model with a resolution of 1.875° by 1.25° with 85 vertical levels up to a model top of 90 km (Walters et al., 2019) and includes a modal aerosol scheme (Mann et al., 2010). The ocean component uses the NEMO dynamical ocean at 1° resolution with 75 vertical levels (Storkey et al., 2018). The sea-ice component uses CICE on the same grid as the ocean with 5-ice thickness categories (Ridley et al., 2018). The land component uses the JULES land surface model (Wiltshire et al., in preparation), however, the land surface configuration is substantially updated for UKESM. The primary differences between the physical and earth system models is the inclusion of a terrestrial carbon and nitrogen cycle (Wiltshire et al., in preparation), ocean biogeochemistry (Yool et al., 2013) and tropospheric-stratospheric chemistry model.

Atmospheric chemistry in UKESM1 is simulated by the UKCA chemistry and aerosol model with...
the specific configuration a combination of tropospheric (O’Connor et al., 2014) and stratospsheric chemistry (Morgenstern et al., 2009, 2017).

Terrestrial biogeochemistry is represented by the JULES-ES model cycle (Wiltshire et al., in preparation). The land surface is represented by 13 plant functional types (PFTs) including 4 managed crop and pasture land types. The height, leaf area index and spatial distribution of the PFTs are dynamic simulated by TRIFFID dynamic global vegetation model (Cox, 2001). Soil carbon is represented by the 4 pool Roth-C scheme (Coleman and Jenkinson, 1999). Terrestrial carbon uptake may be limited by the availability of nitrogen. Nitrogen does not directly affect photosynthetic capacity through leaf N concentrations but acts indirectly by controlling the biomass and leaf area index within the TRIFFID DGVM. A second mechanism acts through soil carbon by limiting the decomposition of litter into soil carbon in the RothC model. The vegetation model includes retranslocation of Nitrogen during senescence of leaves and roots into a labile pool to supply nutrients for the following seasonal leaf out. The soil model simulates mineralisation and immobilisation with mineralised nitrogen becoming available for plant uptake and ecosystem loss. Inorganic Nitrogen is represented by a single gridbox pool from which all PFTs have equal access. Nitrogen deposition is prescribed from ancillary data.

Land-use change is represented by the application of time-varying fields of crop and pasture to the DGVM, which allocates space dynamically to C3 and C4, crop and pasture types. Pasture is represented as natural grass whereas crops include a harvest parameterization and are fertilized.
Biogenic Volatile Organic Compound (BVOC) emissions from vegetation are simulated and affect the formation of secondary organic aerosols. Mineral dust is emitted from bare soil and acts as both an aerosol and a fertiliser to the ocean.

Ocean biogeochemistry is represented by MEDUSA-2 (Yool et al., 2013) which resolves a dual size-structured ecosystem of small (nanophytoplankton and microzooplankton) and large (microphytoplankton and mesozooplankton) components. This explicitly includes the biogeochemical cycles of nitrogen, silicon and iron nutrients as well as the cycles of carbon, alkalinity and dissolved oxygen. Large phytoplankton are treated as diatoms and utilise silicic acid in addition to nitrogen, iron and carbon. Like the living components, the detrital components are split into two size classes. At the seafloor, MEDUSA-2 resolves 5 reservoirs to temporarily store sinking organic material reaching the sediment. The model’s nitrogen, silicon and alkalinity cycles are closed and conservative (e.g. no riverine inputs), while the other three cycles (carbon, iron, oxygen) are open. The ocean’s iron cycle includes aeolian (land derived dust) and benthic sources, and is depleted by scavenging. The ocean’s carbon cycle exchanges CO2 with the atmosphere. The ocean’s oxygen cycle exchanges with the atmosphere, and dissolved oxygen is additionally created by primary production and depleted by remineralisation. Ocean biogeochemistry also feeds back on the atmosphere through the production of marine DMS and marine organic aerosols.

A6. Contribution of uncertainties in $\Delta T_{2 \times CO2}$ and $\tilde{E}_{2 \times CO2}$ to TCRE.
The uncertainty in TCRE, as indicated by its standard deviation ($\sigma_{TCRE}$), can be represented in terms of the standard deviation of $\Delta T_{2\times CO_2}$ ($\sigma_{\Delta T}$), standard deviation of $\tilde{E}_{2\times CO_2}$ ($\sigma_E$), and their means $\overline{\Delta T}$ and $\overline{E}$ across the eleven CMIP6 models. Since $\Delta T_{2\times CO_2}$ and $\tilde{E}_{2\times CO_2}$ are nearly independent (correlation between these two quantities is only 0.02 across the eleven CMIP6 models considered here), we can write

$$\sigma_{TCRE} = \overline{TCRE} \cdot \sqrt{\left(\frac{\sigma_{\Delta T}}{\Delta T}\right)^2 + \left(\frac{\sigma_E}{E}\right)^2}$$

which allows to calculate to contributions of $\left(\frac{\sigma_{\Delta T}}{\Delta T}\right)^2$ and $\left(\frac{\sigma_E}{E}\right)^2$ to $\sigma_{TCRE}$. 

Preprint. Discussion started: 9 December 2019
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